# A 5-dimensional Structure and Transformations between Number-base Systems as possible guiding Principles behind the Genetic Code 

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#### Abstract

Background of this research was an elementary 5-dimensional model or conceptual structure, suggested by the author for interpretations in theoretical physics. The model, with some redefinitions, implies a development through polarising steps towards entities of lower degrees, $5 \rightarrow 4 \rightarrow 3 \ldots$ with debranched degrees being translated to external motions or meeting "the other way around"...


Figure 1:


The thought was that such a model, if valid, also should reveal itself in some form in sciences of superposed levels, not least in a "main stream" development towards life and the nearly "universal" genetic code. Adding the natural idea that numbers are given from this underground of dimensions.

This paper shows two things:

1.     - that a simple "5-dimensional" chain, 5-4-3-2-1-(0) with the exponent $2 / 3$, x 100 , generates many mass sums of codon grouped amino acids, indicating a dynamic, mathematical pattern. (G+C-coded amino acids for example "arriving" first in step 5-4, in accordance with a common assumption.)
2.     - that an operator for transformations between number base systems also seems to be involved, as to and from the base- 10 to base- 8 to base- 6 systems. The codon bases generate mass sums for codon-grouped amino acids for example, and much more of that kind. If such an operator exist, it is reasonably connected with different dimension degrees. Perhaps a factor in what is called "affinities" or developments towards heavier molecules? Surely a more revolutionary fact if more than hazard and probably difficult to accept.

There are several connections too between the exponent series and these transformations in part II.

Simple first tests of the suggestions here would be to proof or refute the importance of mass numbers and ordinary isotopes in liquids used to precipitate amino acids: Do other isotopes of $\mathrm{C}-\mathrm{N}-\mathrm{O}$ or H change the results?

## Keywords:

codon distribution, amino acid, mass analysis, dimension, arithmetical pattern

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## Introduction:

Subject field for this research is the nearly universal genetic code and the question whether it is a "frozen hazard" or hides some internal logic.

There are opposite views on this matter and the discussion has gone on for some decades now. It hasn't been easy to find many correlations between the codons and biochemical properties of the amino acids they code for, besides some rough tendencies.

Starting point here - as for many others in the field - is the hypothesis or belief that life - and thus its central genetic code - shouldn't be a hazard.

The special background here was an elementary 5-dimensional model or conceptual structure suggested by the author for interpretations in theoretical physics. The model, with some redefinitions of the concept "dimension" and the $4{ }^{\text {th }}$ dimension degree, implies a development through polarising steps towards entities of lower degrees, $5 \rightarrow 4 \rightarrow 3 \ldots$ with debranched degrees being translated to external motions or meeting "the other way around"...

Figure 2:


The thought was that such a model - or whichever other model in theoretical physics, if valid, also should show up in some form in sciences of superposed levels, not least in a "main stream" development towards life and the nearly universal genetic code.
Adding the natural idea that numbers are given from this underground of dimensions.
With this short mention of the background model, it's necessary to point out that the following results in no way demand acceptance or any closer understanding of the model. The results are there "in their own right".

Yet, there is a property in the results of plus/minus lower numbers in the presented number chain below, named the "exponent series", that seems to mirror the idea of debranched dimension degrees meeting "the other way around", which gives cause for including the figure above.

Some general presumptions:

- It's reasonable to expect that the genetic code has deep roots in physics and quantum mechanics and that multidimensional aspects are a natural part of any interpretation. - It's equally reasonable to expect that similar patterns could show up on different levels of sciences. (Cf. chaos research.)
- It's also a possible view that "the whole" in some sense come first, even if only on a deep pre-material level: the whole a starting point, reading nature in the direction of differentiations. Such a view has been suggested in theoretical physics too. It can be regarded as a background to the following pages as mainly concerned with groups of amino acids.

The research here started with a table of 24 codons and connected amino acids, 4 amino acids regarded as double-coded, codons differing in $1^{\text {st }}$, and/or $2^{\text {nd }}$ base or type of base $(A, G)$ or $(U, C)$ in $3^{\text {rd }}$ position. It doesn't regard the question of evolution of the genetic code, but it seems probable that this approach concerns a rather late phase in this evolution, not contradicting other findings regarding earlier phases. There are signs too that the actual genetic code in itself consists of different levels.

The investigation is carried out in simple arithmetic. Interested scientists in bioinformatics and theoretical biology could regard the results as a material for further developments and interpretations.

## Table 1:

Codons and $A-, Z$-, $N$-numbers in side chains of 20 plus 4 amino acids [1]:
Codons where A or $G(A / G)$ in $3^{\text {rd }}$ position makes no difference, or $U$ or $C(U / C)$ in $3^{\text {rd }}$ position, are counted as one, which gives 24 codons.
$\mathrm{A}=$ mass number, $\mathrm{Z}=$ protons, $\mathrm{N}=$ neutrons; ordinary isotopes.

| $\begin{aligned} & 1^{\text {st }} \\ & \text { base } \end{aligned}$ | $\begin{aligned} & 2^{\text {nd }} \\ & \text { base } \end{aligned}$ | Ams | N | Z | A | A | Z | N | Ams |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| G1 | G | Gly | - | 1 | 1 | 1 | 1 | - | Gly | G | G2 |
|  | C | Ala | 6 | 9 | 15 | 101 | 56 | 45 | $\mathrm{Arg}_{1}$ | C |  |
|  | U | Val | 18 | 25 | 43 | 130 | 69 | 61 | Trp | U |  |
|  | A | Asp | 28 | 31 | 59 | 47 | 25 | 22 | Cys | U |  |
|  | A | Glu | 34 | 39 | 73 | 31 | 17 | 14 | $\mathrm{Ser}_{2}$ | A |  |
|  |  |  |  |  |  | 101 | 56 | 45 | $\mathrm{Arg}_{2}$ | A |  |
| $\Sigma$ |  |  | 86 | 105 | 191 | 411 | 224 | 187 |  |  |  |
| C1 | G | $\operatorname{Arg}_{1}$ | 45 | 56 | 101 | 15 | 9 | 6 | Ala | G | C2 |
|  | C | Pro | 18 | 24 | 42 | 42 | 24 | 18 | Pro | C |  |
|  | U | $\mathrm{Leu}_{1}$ | 24 | 33 | 57 | 31 | 17 | 14 | $\mathrm{Ser}_{1}$ | U |  |
|  | A | Gln | 33 | 39 | 72 | 45 | 25 | 20 | Thr | A |  |
|  | A | His | 38 | 43 | 81 |  |  |  |  |  |  |
| $\Sigma$ | 5 |  | 158 | 195 | 353 | 133 | 75 | 58 |  | $4 \Sigma$ |  |
| U1 | G | Cys | 22 | 25 | 47 | 43 | 25 | 18 | Val | G | U2 |
|  | G | Trp | 61 | 69 | 130 | 57 | 33 | 24 | $\mathrm{Leu}_{1}$ | C |  |
|  | C | $\mathrm{Ser}_{1}$ | 14 | 17 | 31 | 57 | 33 | 24 | $\mathrm{Leu}_{2}$ | U |  |
|  | U | $\mathrm{Leu}_{2}$ | 24 | 33 | 57 | 91 | 49 | 42 | Phe | U |  |
|  | U | Phe | 42 | 49 | 91 | 57 | 33 | 24 | $\mathrm{Ileu}_{1}$ | A* |  |
|  | A | Tyr | 50 | 57 | 107 | 57 | 33 | 24 | $\mathrm{Ileu}_{2}$ | A* |  |
|  |  |  |  |  |  | 75 | 41 | 34 | Meth | A |  |
| $\Sigma$ | 6 |  | 213 | 250 | 463 | 437 | 247 | 190 |  | $7 \Sigma$ |  |
| A1 | G | $\mathrm{Ser}_{2}$ | 14 | 17 | 31 | 73 | 39 | 34 | Glu | G | A2 |
|  | G | $\mathrm{Arg}_{2}$ | 45 | 56 | 101 | 59 | 31 | 28 | Asp | G |  |
|  | C | Thr | 20 | 25 | 45 | 72 | 39 | 33 | Gln | C |  |
|  | U* | $\mathrm{Ileu}_{1}$ | 24 | 33 | 57 | 81 | 43 | 38 | His | C |  |
|  | U* | $\mathrm{Ileu}_{2}$ | 24 | 33 | 57 | 107 | 57 | 50 | Tyr | U |  |
|  | U | Meth | 34 | 41 | 75 | 58 | 31 | 27 | Asn | A |  |
|  | A | Lys | 31 | 42 | 73 | 73 | 42 | 31 | Lys | A |  |
|  | A | Asn | 27 | 31 | 58 |  |  |  |  |  |  |
| $\Sigma$ | 8 |  | 219 | 278 | 497 | 523 | 282 | 241 |  | $7 \Sigma$ |  |

* Ileu 1: AU-U/C, Ileu 2: AU-A, codon differing only in $3^{\text {rd }}$ base type.


## Abbreviations and ways of writing:

Ams $=$ amino acids $(\mathrm{ama}=\operatorname{amino} \operatorname{acid})$
20 ams $-->24$ codons: i.e. 4 ams with double codons:
Arg1, 2: codons CG + AG-A/G;
Ser1, 2: codons UC + AG-U/C;
Leu1, 2: codons CU + UU-A/G; and
Ileu1, 2: codons AU-A +AU-U/C, only differing in types of $3{ }^{\text {rd }}$ base
Codons where A or G in $3^{\text {rd }}$ position makes no difference (written -A/G are counted as one and the same, as codons where U or C in $3^{\text {rd }}$ position ( $-\mathrm{U} / \mathrm{C}$ ) makes no difference.
$\mathrm{R}=\mathrm{R}$-chain(s) = the side chains or "radical chain" of amino acids $=$
$=$ the differing part of ams not taking part in the peptide binding.
$\mathrm{B}=\mathrm{B}-\mathrm{chain}(\mathrm{s})=$ "ground chain" =
$=$ the similar parts of ams which through condensation combines to peptide chains.
Sums: All sums refer to mass number A where not anything else is mentioned. They refer to R-chains where not anything else is denounced.

G1-C1-U1-A1 = groups of ams coded by G-C-U-A respectively as first base. $\mathrm{G} 2-\mathrm{C} 2-\mathrm{U} 2-\mathrm{A} 2=" \quad$ " " ${ }^{2}$ as second base.

Types of codons, with respect to $1^{\text {st }}$ and $2^{\text {nd }}$ base, used denominations:

$$
\begin{array}{lll}
\hline \text { "Cross-codons" } & =\text { GU-UG-AC-CA } & \text { Val - Cys, Trp - Thr - Gln, His } \\
\text { "Form-codons" } & \text { = GA-UC-AG-CU } & \text { Asp, Glu - Ser1 - Arg2, Ser2- Leu1 } \\
\text { "Pair-codons" } & \text { = GG-UU-AA-CC } & \text { Gly -Phe, Leu2 - Asn, Lys - Pro } \\
\text { "RNA-codons" } & \text { = GC-UA-AU-CG } & \text { Ala - Tyr - - Meth, Ile1, Ile2 -Arg1 } \\
6 \text { ams in each group. } &
\end{array}
$$

"The exponent series", the 5-4-3-2-1-0-chain of numbers with exponent $2 / 3$, x 100 : $=5^{2 / 3} \times 100,4^{2 / 3} \times 100$ etc.
In some places a shortened way of writing these numbers is used: " 5 ", " 4 " etc., the elementary numbers within quotation marks.
$\Lambda=$ sign for inversion of numbers
$\sim$ = sign for "equivalent with" or "the same number as" or "circa".
$3^{\text {rd }}$ base:
8 ams with G or A in $3^{\text {rd }}$ place: $\mathrm{A} / \mathrm{G}$, or either A or G, for instance Glu GA-A/G, and Meth AUG
8 ams with U or C in $3^{\text {rd }}$ place: $\mathrm{U} / \mathrm{C}$, for instance Asp GA-U/C
8 ams with indifferent base $(\mathrm{G}-\mathrm{C}-\mathrm{U}$-or A$)$ in $3^{\text {rd }}$ place $=$ " 2 -base-coded"
"0-bases" $=\mathrm{U}, \mathrm{C}(\mathrm{T})$
$" 00$-bases" $=\mathrm{G}, \mathrm{A}$, referring to the forms: single or double rings.
All troublesome longer chemical terms are avoided as far as possible. For instance: H is used instead of hydrogen, O instead of oxygen etc.

## First observations from Table 1 (R-chains):

The mass sums for group $\mathrm{G}+\mathrm{C}$-coded ams as for $\mathrm{A}+\mathrm{U}$-coded ams becomes the same in $1^{\text {st }}$ and $2^{\text {nd }}$ base ordering:

$$
\begin{aligned}
& \mathrm{G} 1+\mathrm{C} 1=\mathrm{G} 2+\mathrm{C} 2=\mathbf{5 4 4} \\
& \mathrm{U} 1+\mathrm{A} 1=\mathrm{U} 2+\mathrm{A} 2=\mathbf{9 6 0}
\end{aligned}
$$

This implies that the sums of amino acids (ams) exchanged between the groups are the same. A table over these exchanged ams, the Cross-coded and the Form-coded, reveals a mathematical pattern which suggests some deeper logic behind the connection between codons and mass sums of ams:

Table 2: Cross- and Form-codons, total sum of mass units in R-chains 770:

| GA Glu | CA His | UG Trp | AG Arg $\longrightarrow \mathbf{3 8 5}$ heavier * |
| :--- | :--- | :--- | :--- |
| GA Asp | CA Gln | UG Cys | AG Ser $\longrightarrow \mathbf{2 0 9}$ lighter |
| GU Val | $\frac{\text { CU Leu }}{\mathbf{1 7 5}}$ | $\frac{\text { UC Ser }}{\mathbf{2 1 0}}$ | $\frac{\text { AC Thr } \longrightarrow \mathbf{1 7 6}}{\mathbf{1 7 8}}$ |

* The heavier ams: $3^{\text {rd }}$ base A/G, lighter ams: $3^{\text {rd }}$ base U/C, with exception of the CA-pair His - Gln. Third row: "2-base-coded".
- The sum is divided equally $(+/-1)$ horizontally and vertically.
- G1 + A1 groups give the same sum as Form-coded ams, 352. GA+AG+CU+UC, $\mathrm{U} 1+\mathrm{C} 1$ the same sum as Cross-coded ams, 418: CA+UG+GU+AC.
- Z-sum of the whole group $=\mathbf{4 1 8} \mathbf{+ 1}, \mathrm{N}$-sum $\mathbf{3 5 2} \mathbf{- 1}$.
- There is a factor 11 involved:

Numbers $3^{3} \ldots--\mathbf{2}^{\mathbf{3}}, 27-8$ : Sum 35, x $11=385$. Difference 19, x $11=209$, $2 \times 8, \times 11=2 \times 88=176$. $(\mathrm{GU}+\mathrm{AC}=88, \mathrm{CU}+\mathrm{UC}=88)$
(Numbers 27-8 have been said to appear in group theories of elementary particle physics. This mentioned without any closer knowledge in that field.)

- There is also in vertical and horizontal additions a division of the number 385 $=5 \times 77$ in $\mathbf{3 x 7 7 , 2 \times 7 7}$ :

$$
\begin{aligned}
& \text { GA Glu }+ \text { CA His }=154=\mathbf{2} \times 77 \\
& \text { UG Trp }+ \text { AG Arg }=231=\mathbf{3} \times 77 \\
& \text { GA Asp + CA Gln, }+ \text { GU Val }+ \text { CU Leu }=231=\mathbf{3 \times 7 7} \\
& \text { UG Cys + AG Ser, }+ \text { UC Ser }+ \text { AC Thr }=154=\mathbf{2 \times 7 7 .}
\end{aligned}
$$

(Cf. factors 5 and 7 with the number of ams in G+C-group and A-U-group respectively.)

Two short annotations here on these observations:
a) Why a factor 11 in these groups in table 2?

The other codon type groups, RNA-coded + Pair-coded ams, with total sum of 734,
(as 770-2 H2O), did not reveal such an interesting pattern. (One should have to count with hydroxiproline and hydroxilysine for instance, +4 H to get some similarity. The difference between the two codon type groups could eventually imply that there is different levels or stages involved in the actual scheme.

There are in fact 4 other groups which can be combined to nx 11 :
$\mathrm{AU}:$ Meth + Ile $=132 ;$ AA + GG: Lys + Asn, + Gly $=132 ; \underline{U} \underline{+}+\underline{U A}:$ Phe + Tyr (out of Phe chemically) 198; C $\underline{C}+$ CG, Pro $+\operatorname{Arg}$ (can transform into one another): 143.
Sum $11 \times 55$. To compare with the group $11 \times 70$. Remains Ile2, Leu2, Ala, 129 A. (With the " $21^{\text {t" }}$ ams with Selen instead of Ile2 and a Se-isotope 78, this gives an addition of 165 , these groups becomes $11 \times 70$ too.)
So why a factor 11? Avoiding speculations, it's only possible here to refer to some unknown roots in physics.
b) The division of the whole sum in $\mathrm{N}-\mathrm{Z}$ in Cross- plus Form-coded ams in table 2 above was the same as between G1+A1-groups and U1+C1-groups respectively -/+1: N $=352-1, \mathrm{Z}=418+1$.

There are several other examples of equal (or $+/-1$ ) number divisions as along quite different co-ordinate axes of polarisations. (See the www-address referred to below.) Just to mention the most obvious one: the division of mass of ams ( R ) between kinds of atoms:
$\mathrm{S}+\mathrm{O}+\mathrm{N}+\mathrm{H}=\mathbf{5 4 4}$, the same number as $\mathrm{G}+\mathrm{C}$-coded ams
C-atoms $=960, \quad-\quad$ - $\quad$ A+U-coded ams
Such similarities seem to point towards an interpretation where a "whole"is differentiated along separate co-ordinate axes, representing different types of polarities.

## The "triplet series":

One more observation should be mentioned here from earlier research: that a "triplet series" approximates mass sums of the 24 ams:

$$
\left.\begin{array}{c}
=\frac{543-}{\mathrm{G}+\mathrm{C},-1} \frac{432-321-210}{963=\mathrm{U}+\mathrm{A},+3} \text { Sum } 1506  \tag{Sum 1506}\\
210=\text { Z-number UG-UC-AC-AG }-+1 \quad=\mathrm{G}, \mathrm{C} \text { in } 2^{\text {nd }} \text { position } \\
321=\text { Z-number UU-UA-AU-AA-coded, }+2 \\
432=\text { N-number A1+U1-coded }
\end{array}\right\}
$$

The triplet series expanded: $\underline{987+876+765+654}+\underline{543+432+321+210}$ $\underset{\text { interval: }}{=} 3282<\underset{\substack{1776 \\ 24 \times 74}}{\stackrel{+}{<}} 1506$

The numbers shall be compared with the total sum $\mathbf{3 2 7 6}$ ( $\mathrm{R}+\mathrm{B}$-chains), B-chains $=\mathbf{1 7 7 2}$ after reduction of 1 H in Pro, Lys and $\operatorname{Arg} 1,2, \mathrm{R}$-chains $=1504$.

Intervals in each step 111, $\mathbf{3 / 2} \mathbf{x 7 4}$, the number of unbound B-chains, (a reason for the need of 3 ams to form the smallest peptides?).

[^0]
## Part I:

## The "Exponent Series"

## 1. The exponent series and codon grouped amino acids:

The observations above and others led to further search for patterns in the attribution of codons to amino acids. The following version of an elementary " 5 -dimensional chain" with an exponent $2 / 3$ was tested. With a factor x 100 it was surprisingly found to easily generate many of codon grouped mass sums among the $20+4$ amino acids:


Three first numbers in steps " $\mathbf{5 - 4 - 3}^{\mathbf{3}}=\mathbf{7 5 2}, \mathbf{x} \mathbf{2}=\mathbf{1 5 0 4}=$ the whole sum of 24 ams , R-chains.

Two first numbers in steps $" 5 "+$ " $\mathbf{4 "}=\mathbf{5 4 4}$ is the sum of G+C-coded ams. $" 5 "+" 4 "+2 \times " 3 "=544+416=960=A+U-c o d e d ~ a m s$
Written in another way:

$$
\begin{aligned}
& 752-208=\mathbf{5 4 4}=\text { G+C-coded ams } \\
& 752+208=\mathbf{9 6 0}=\text { U }+ \text { A-coded } \mathrm{ams}
\end{aligned}
$$

b. Cross- plus Form-coded. ams $=2(\mathbf{5 4 4} \mathbf{- 1 5 9})=2 \times 385=770$

RNA- plus Pair-coded ams $=\mathbf{2}(\mathbf{2 0 8}+\mathbf{1 5 9})=2 \times 367=734$

$$
\begin{aligned}
2 \times 367 & =734 \\
& =\text { RNA+Pair-coded ams } \\
2 \times 385 & =770 \\
& =\text { Cross+Form-coded ams }
\end{aligned}
$$

c. $\mathrm{C} 1+\mathrm{U} 1$-coded ams $=816=\mathbf{5 4 4}+\mathbf{1 / 2} \mathbf{~} \mathbf{5 4 4}=\mathbf{2 ( 2 5 2 + 2 0 8}) \mathbf{- 1 / 2} \mathbf{~} \mathbf{2 0 8}$
$\mathrm{G} 1+\mathrm{A} 1$-coded $\mathrm{ams}=688=\mathbf{9 6 0}-\mathbf{1} / \mathbf{2} \times 544=\mathbf{2 \times 2 9 2}+\mathbf{1} / \mathbf{2} \times 208$

| x $1 / 2=104$ |  |  |
| :---: | :---: | :---: |
| 292-252-208-159-100 |  |  |
| 292 | 460 | $\mathbf{2 \times 2 9 2 + 1 0 4 = 6 8 8 = \mathbf { G 1 } + \mathrm { A1 }}$ |
|  |  | $2 \times 460-104=816=C 1+\mathrm{U} 1$ |

d. $\mathrm{C} 2+\mathrm{U} 2$-coded ams $=570=\mathbf{2 ( 5 4 4 - 2 5 9 )}$
$\mathrm{G} 2+\mathrm{A} 2$-coded $\mathrm{ams}=934=\mathbf{2 ( 2 0 8}+\mathbf{2 5 9})$

e. G1-coded ams $=\mathbf{2 9 2} \mathbf{- 1 0 0},-1=191$ " $5-1$ "

C1-coded ams $=\mathbf{2 5 2}+\mathbf{1 0 0},+1=\mathbf{3 5 3} \quad " 4+1 " \quad(101=$ Arg CG, charged $){ }^{1)}$
C2-coded ams $=$ 292-159 = 133 " $5-2$ "
G2-coded ams $=\mathbf{2 5 2}+\mathbf{1 5 9}=\mathbf{4 1 1} " 4+2$ "

f. U2-codd ams $=\mathbf{5 4 4} \mathbf{- 2 0 8}+\mathbf{1 0 0},+1=544-\mathbf{1 0 7}=\mathbf{4 3 7}$

A2-coded ams $=\mathbf{4 1 6}+\mathbf{2 0 8} \mathbf{- 1 0 0},-1=416+\mathbf{1 0 7}=\mathbf{5 2 3} \quad(107=\text { Tyr UA })^{1)}$

${ }^{1)}$ About Arg and Tyr, see 2.d, page 13.
g. Groups U1 and A1: There are different ways to derive the groups:
g1. Division of number 208 in $2 \times 104$ :

$$
\begin{aligned}
& \mathrm{U} 1=\mathbf{4 6 3}=\mathbf{4 6 0}+\underline{1 / 2 \times 208=564,-101 .} \\
& \mathrm{A} 1=\mathbf{4 9 7}=\mathbf{2 9 2}+\underline{1 / 2 \times 208}=396,+101 .
\end{aligned}
$$


g2. Division of number 544 in $2 \times 272$ :

$$
\begin{array}{ll}
\mathrm{U} 1=191(\sim \mathbf{G 1}) & +\mathbf{2 7 2}=\mathbf{4 6 3} \\
\mathrm{A} 1=353(\sim \mathbf{C 1})+\mathbf{4 1 6}, & -\mathbf{2 7 2}=\mathbf{4 9 7}
\end{array}
$$


h. "Pure" A-U-codons amd "pure" G-C-codons, $1^{\text {st }}$ and $2^{\text {nd }}$ positions:

Ams with only G and/or C in $1^{\text {st }}$ and $2^{\text {nd }}$ position $=\mathbf{1 5 9}(\mathrm{GG}+\mathrm{GC}+\mathrm{CG}+\mathrm{CC})$
Ams with only $U$ and/or A in $1^{\text {st }}$ and $2^{\text {nd }}$ position $=\mathbf{2} \times \mathbf{2 0 8}+\mathbf{1 5 9}=\mathbf{5 7 5}$


Main purpose on the following pages in part I is only to illustrate and investigate such number relations between this "exponent series" and amino acids from different aspects of division: codon groupings and some biochemical ones.It's hard to believe that all these relations are only accidental.

If not, why an exponent $2 / 3$ and a "constant" x 100 ? Without pretending any ability to interpret the grounds for it, it's only possible here to suggest that the roots should be found in underlying levels of theoretical physics. The exponent series as a structuring principle could express laws in he same sense as Kepler's laws for the planets (where A $=\mathrm{T}^{2 / 3}$ times a constant) or the equations for the spectral lines of hydrogen...?

If accepting a 5 -dimensional model as a background, the results here could have implications for the analysis of structures and functions of proteins, however complicated as they may be.

The way of generating ams sums through minus/plus numbers of lower "degrees" remind of what is said about the background model and the figure in the introduction concerning debranched degrees, meeting "the other way around". (There is also a similarity in such a chain with exothermic reactions, as in steps $5 \rightarrow 4 \rightarrow 3$, versus endothermic ones.)

Why the 4 double-coded ams, ( 2 of them in table 2, Arg AG and Ser AG)? One aspect could be that a given underlying mathematical scheme should be filled up.

Another possible aspect is that the "triplet series", approximating the numbers of amino acid totals, and the exponent series eventually represent different underlying levels in such schemes.

## 2 Internal divisions in codon groups, intervals in the exponent series and sums of groups in $1^{\text {st }}$ and $2^{\text {nd }}$ base order:

a. The division of the number 385 of Cross- and Form-coded ams (table 2):

209 and $176,-/+1=208$ and 177 in the exponent series:


- $\mathbf{1 7 7}=\mathbf{1 3 3}+\mathbf{4 4}:(292-159=133,252-208=44)$
$2 \times 44$-/+1 GU Val, 43 A, + AC Thr, 45 A
$2 \times 44=\mathrm{CU}$ Leu, $57 \mathrm{~A}(\mathrm{Val}+14, \mathrm{CH} 2)+\mathrm{UC}$ Ser 31 A (Thr - 14, CH2)
- $\mathbf{U G}=\mathbf{1 7 7}$ ( $\mathrm{Trp}+\mathrm{Cys})$.
$U G+U C=208 . \quad S e r ~ U C=177-208=31$.
- $\mathbf{1 3 3 - 1} \mathbf{- 1 3 2}=\mathbf{G A}(\mathrm{Glu}+\mathrm{Asp})=\mathbf{A G}(\mathrm{Arg} 2+\mathrm{Ser} 2)$ in this table.
- $\mathbf{1 5 2 + 1}=153=\mathbf{C A}$ (His + Gln). His $2 \times 40+1$, Gln (133-59) -2.
[Individual number relations in the RNA- plus Pair-coded groups:
133-59 = 74, +/-1 Meth 75, Lys 73
$59-1,-2=$ Asn 58, Ile1,Ile2, Leu1,Leu2 57
252-159 = 93, - $2=$ Phe
208-100, $-1=$ Tyr
$44,-2=$ Pro. $44-59=15=$ Ala. $100+1=$ Arg. + Gly 1.]
b. Divisions within codon groups $\mathrm{G} 1+\mathrm{A} 1=688$ and $\mathrm{C} 1+\mathrm{U} 1=816$ :

$\mathrm{G} 1+\mathrm{A} 1=688=292+104=\mathbf{3 9 6}, \quad+292$
$\mathrm{C} 1+\mathrm{U} 1=816=252+104=356, \quad+252, \quad+208$
$\underline{\mathrm{G} 1+\mathrm{A} 1:}$
$396=\mathrm{GA}+\mathrm{GG}+\mathrm{AA}+\mathrm{AG}=$ ams with only G or A in $1^{\text {st }}$ and $2^{\text {nd }}$ position
$292=G \underline{U}+G \underline{C}+A \underline{U}+A \underline{C}=$ ams with $U$ or $C$ as $2^{\text {nd }}$ base.
$396=3 \times 132: \quad \mathrm{GA}=132, \mathrm{AA}+\mathrm{GG}=132, \mathrm{AG}=132$.
$\mathrm{C} 1+\mathrm{U} 1$ :
$356=$ U1 without Tyr 107
$\mathbf{2 5 2}=\mathrm{C} 1$ without $\underline{\operatorname{Arg} 101} \mathbf{2 0 8}=\mathrm{Arg}+\mathrm{Tyr}=\mathrm{CG}+\mathrm{UA}$ (complementary codons)
The distribution of atoms in these groups gives the same number divisions:
$\underline{\mathrm{G} 1+\mathrm{A} 1=688:}$
C -atoms $=396$.
$\underline{\mathrm{U} 1+\mathrm{C} 1=816}:$
C-atoms $=\underline{356+208}$
$\mathrm{N}+\mathrm{O}+\mathrm{S}+\mathrm{H}=292$.
$\mathrm{N}+\mathrm{O}+\mathrm{S}+\mathrm{H}=\mathbf{2 5 2}$
c. Intervals in the exponent series: more derivations of ams groups:



## Interval 59 -/+1:

Crossing additions as if counting on two sets of ams, in both $1^{\text {st }}$ and $2^{\text {nd }}$ base order.

$$
\begin{array}{ll}
\mathrm{G} 1-58=\mathrm{C} 2 & \mathrm{U} 1+60=\mathrm{A} 2 \\
\mathrm{C} 1+58=\mathrm{G} 2 & \mathrm{~A} 1-60=\mathrm{U} 2
\end{array}
$$

Interval $44=252-208=" 4-3 "$ and code base groups in $2^{\text {nd }}$ base order:
544-367,-44 = 133= C2-coded ams
$208+159,+44=411=$ G2-coded ams
$272+208,-44=436=$ U2-coded ams -1
$272+208,+44=524=$ A2-coded ams +1

Interval $152=$ " $4-1$ " and pairs of codon groups in 2 nd base order:
$\mathrm{C} 2+\mathrm{U} 2=570=2(544-259)=\mathbf{2} \mathbf{x} \mathbf{2 8 5}$

$$
\begin{aligned}
& \mathbf{2 8 5}-\mathbf{1 5 2}=133=\mathbf{C} 2 \\
& \mathbf{2 8 5}+\mathbf{1 5 2}=437=\mathbf{U} \mathbf{2}
\end{aligned}
$$

$\mathrm{G} 2+\mathrm{A} 2=934=2(208+259)=\mathbf{2 \times 4 6 7}$

$$
\mathbf{4 6 7}-\mathbf{2 0 8}+\mathbf{1 5 2}=411=\mathbf{G} \mathbf{2}
$$

$$
\mathbf{4 6 7}+\mathbf{2 0 8}-\mathbf{1 5 2}=523=\mathbf{A 2}
$$

Interval $84=292-208=" 5-3 "$ :
Crossing additions as if counting on two sets of ams:
U+A: $960, \mathbf{- 8 4 = 8 7 6}=\mathrm{C} 1+\mathrm{A} 2$
$\mathrm{G}+\mathrm{C}: 544,+\mathbf{8 4}=\mathbf{6 2 8}=\mathrm{G} 1+\mathrm{U} 2 . \quad(\mathrm{C} 1+84=\mathrm{U} 2)$

$$
\begin{array}{ll}
\mathrm{C} 2+\mathrm{U} 2=2(544-259)=570, & +\mathbf{8 4}=\mathbf{6 5 4}=\mathrm{G} 1+\mathrm{U} 1=\mathrm{C} 2+\mathrm{A} 2-2 \\
\mathrm{G} 2+\mathrm{A} 2=2(208+259)=934, & -\mathbf{8 4}=\mathbf{8 5 0}=\mathrm{C} 1+\mathrm{A} 1=\mathrm{G} 2+\mathrm{U} 2+2
\end{array}
$$

In general terms these number operations as $+/-84$ (" 5 " - " 3 ") could express a process outwards - inwards: " $5 \rightarrow 4 \rightarrow 3-3 \rightarrow 4 \rightarrow 5$ ".

## d. Tyr and Arg:

Referring to the derivation of single codon base groups (le, f, page 9), sums of the R-chains were received through plus/minus intervals $100+1,108-1$, representing Anumbers of R-chains for Arg and Tyr:
$\begin{array}{ll}\mathrm{G} 1=292-\mathbf{1 0 1} & \mathrm{U} 2=544-\mathbf{1 0 7} \\ \mathrm{C} 1=252+\mathbf{1 0 1} & \mathrm{A} 2=416+\mathbf{1 0 7} .\end{array}$


It could perhaps be possible to identify these intervals with these ams: Arg then presumed as debranched from a G1-codon, connected as it is with Gly GG in creatinephosphate, and Tyr as debranched from a U2-codon as derived from Phe UU? (Tyr - Arg make up the end of the $\alpha$-chain of hemoglobine.)
[In the background model the last step $1 \rightarrow 0$ is interpreted as a step from d-degree 1 into motions. It has been told that Arginine is especially rich in the tails of sperms.]

However, number 101 appears also in other contexts.
The derivation of U1- and A1-groups of ams was a bit more complicated, including division of number 208 in $2 \times 104$ :
A1: $292+104=396,+101$
(cf. $\operatorname{Arg} \mathrm{AG})=497$
U1: $252+104=356,+107($ cf. Tyr UA) $=463$

A simpler way to derive these sums is through imaging that Cys UG, 47 A , has moved from an A1-code (Ser AG - or Meth AUG?) to an UG-code:
$\mathrm{A} 1=544-47$ (Cys) $=497$,
$\mathrm{U} 1=\mathbf{4 1 6}+\mathbf{4 7} \quad$ " $=463$. But number 47 not in the exponent series.
e. Additions of two sets of ams, $1^{\text {st }}$ and $2^{\text {nd }}$ base order:

If counting with two sets of ams, both in $1^{\text {st }}$ and $2^{\text {nd }}$ base order, it gives the following simple derivations of $\mathrm{G} 1+\mathrm{G} 2, \mathrm{~A} 1+\mathrm{A} 2$ etc.:

| $" 5 "$ | $2 \times 292=\mathbf{5 8 4}$ | $\mathbf{- 1 0 0}=\mathbf{4 8 4}$ | $=\mathrm{C} 1+\mathrm{C} 2-2$ |
| :--- | :--- | :--- | :--- |
| $" 4 "$ | $2 \times 252=\mathbf{5 0 4}$ | $\mathbf{+ 1 0 0}=\mathbf{6 0 4}$ | $=\mathrm{G} 1+\mathrm{G} 2+2$ |
| "3" | $2 \times 208=\mathbf{4 1 6}+\mathbf{5 8 4}$ | $\mathbf{- 1 0 0}=\mathbf{9 0 0}$ | $=\mathrm{U} 1+\mathrm{U} 2$ (U1+U2 from the C-groups) |
| "3" | $2 \times 208=416+504$ | $+100=1020=\mathrm{A} 1+\mathrm{A} 2$ (A1+A2 from the G-groups) |  |

## 3. Some general first comments on observations in the Exponent series:

a. Number of ams in each group $\mathrm{G}-\mathrm{C}-\mathrm{U}-\mathrm{A}$ :

$$
\begin{aligned}
& 5+4+3=12, \times 2=24 \\
& 1 \quad 1 \text { / } \\
& 5 \quad 7 \quad 5+5 \mathrm{ams} \mathrm{G} 1+\mathrm{C} 1,7+7 \mathrm{ams} \mathrm{U} 2+\mathrm{A} 2 \quad(5 \times 77=385 .)
\end{aligned}
$$

$\mathrm{A} 1=2 \times 4, \mathrm{U} 1=2 \times 3, \quad \mathrm{G} 2=2 \times 3, \mathrm{C} 2=2 \times 2$
These numbers of ams could support the general suggestion here of a " 5 dimensional" chain such as the exponent series behind the g4enetic code.

The quotient between A+U-bases and G+C-bases in RNA has been said to be circa 1,4. (Concerned higher species?) The quotient in that case seems related to a single set of ams - including the 4 double-coded ams, essential to observe.
b. G1-coded ams come first in experiments by laboratories, so one says. - as in the derivation of mass according to this exponent series.

It has also been said that there seems to have been a "press" towards more A-T (U-A)-rich codons during first unicellular development (although not unambiguous) [3]. Here it's possible to see this as a development in the steps " 5 " $\rightarrow$ " 4 " $\rightarrow$ " 3 ", a direction in the process.
c. $292,=" 5$ " in the exponent series, is the sum of Inosine $136 \mathrm{~A}+$ Orotate 156 A from which the 4 code bases derive [1].

Note the complementary features in their construction:
(See http://www.u5d.net/booklets/ bch_bases_synthesis.html.)
d. $\mathbf{1 4 6}=\mathbf{2 9 2} / \mathbf{2}=\alpha$-ketoglutarate (uncharged), an essential station in the citrate cycle, from which the ams Glu (146 A charged) directly derives, and Glu has a central role for the ammoniating of amino acids [1, 2]. (146 also the A-number of Lys, R+B.)
e. 146 is also the number of base pairs of DNA rolled up on each of the Histone conglomerates in the chromosomes. (Histones are also of 5 kinds). [4]

Is this just a coincidence? The same number on quite different levels of units? According to the first hypothesis here, it could be an example of the same underlying mathematical, multidimensional structure, steering the processes on both lower and higher levels.

Number of amino acids $\mathbf{2 0} \rightarrow \mathbf{2 4}$, with $\mathbf{4}$ double-coded ams:
There are $5+4+3$ in the codon type groups: 6 of each kind, but arranged $4 \times 3$ in Crossplus Formcoded ams. In RNA- plus Pair-coded ams the A+U-groups dominate with 8 ams . A simple view on the 4 double-coded ams could be the counting: $5 \times 4=20 \rightarrow 4 \times 3 \times x 1=$ 24 , referring to the background model where higher dimension degrees (d-degrees)transform into lower ones. This is another eventual aspect, besides the role of the double-coded ams to fill up a scheme. (Compare also Part II: 20 in a base- 10 system $=24$ in a base- 8 system.)
\{Perhaps worth a note too is the possibility of reading ams sums from a simple " 5 -chain":
$5-4-\frac{3-2-1}{6}-0 \quad 5-4-6, \times 6=3276=24 \mathrm{ams} \mathrm{R}+\mathrm{B}$
$5-4-6 \times 5, \underline{+5}=2735,20 \mathrm{ams} \underline{\mathrm{R}+\mathrm{B} .} 5-4-6 \times 1-5=4$ double-coded ams R+B )

## 4. $3^{\text {rd }}$ base groupings of the amino acids (R-chains):

| $3^{\text {rd }}$ base $\mathrm{A} / \mathrm{G}(+\mathrm{A}$ or G$)$ | $=8 \mathrm{ams}=$ mass sum of R -chains $\mathbf{6 3 8}$ |  |  |
| :--- | :--- | :--- | :--- |
|  |  |  | $>\mathbf{1 1 6 9}$ |
| $3^{\text {rd }}$ base $\mathrm{U} / \mathrm{C}=$ | $=8 \mathrm{ams}=$ | $--"--$ | $\mathbf{5 3 1}$ |
| $3^{\text {rd }}$ base indifferent | $=8 \mathrm{ams}=$ | $--"--$ | $\mathbf{3 3 5}>335$ |

It's possible to derive the two main groups $-/+1$ from the exponent series too:

$$
\begin{array}{ll}
752-416=544-208=\mathbf{3 3 6}, & -1=\text { indifferent } 3^{\text {rd }} \text { base } \\
752+416=960+208=\mathbf{1 1 6 8}, & +1=\mathrm{A} / \mathrm{G}(\text { or } \mathrm{G})+\mathrm{U} / \mathrm{C}, 3^{\text {rd }} \text { base }
\end{array}
$$

This sum $\mathbf{1 1 6 8}=\mathbf{2} \times 584.4 \times 292$ :
$\mathrm{G} 1+\mathrm{A} 1=\mathbf{6 8 8}$, minus the "2-base-coded" ams (104) $=\mathbf{5 8 4}$.
$\mathrm{C} 1+\mathrm{U} 1=\mathbf{8 1 6}$, minus the "2-base-coded" ams (231) $=\mathbf{5 8 4},+1$
Note that number $1168(+1)$ in $2^{\text {nd }}$ base order is divided
$\mathbf{2 \times 4 1 6}=\mathrm{G} 2+\mathrm{A} 2$, and $\mathbf{5 4 4}-\mathbf{2 0 8}=336,+1=\mathrm{U} 2+\mathrm{C} 2$.

Inosine + Orotate $\mathbf{x} 4=1168$ : Is it a coincidence ?
$\mathrm{A} / \mathrm{G}+(\mathrm{A}$ or G$)$ in $3^{\text {rd }}$ position seem to refer to their origin in Inosine, $\mathrm{U} / \mathrm{C}$ as equivalent in $3^{\text {rd }}$ position to Orotate, and there is 8 ams in each group.

The first, main division in $3^{\text {rd }}$ codon base grouping could be thought of as governed by these origins of the bases, giving (as would be proper) 2 sets of these groups:

Codon bases A and G from Inosine,

$$
\mathbf{1 3 6} \text { A: } 8 \times 136=1088=\mathbf{2} \times 544
$$

Codon bases U and C from Orotate, 156 A: $8 \times 156=\frac{1248=\mathbf{2 \times 6 2 4}}{\Sigma=\mathbf{2 \times 1 1 6 8}}$
However, the division within these groups does not accord with the right one. In numbers of the exponent series this could be written:

$$
544-208
$$

$$
416+208=624
$$

$$
\begin{aligned}
+93 & =637=\mathrm{A} \text { and or } \mathrm{G} \text { as } 3^{\text {rd }} \text { base }-1 \\
& =336=\text { indifferent } 3^{\text {rd }} \text { base } \quad+1 \\
-93 & =531, \mathrm{U} \text { or } \mathrm{C} \text { as } 3^{\text {rd }} \text { base }
\end{aligned}
$$

[Why 93 ? 93 is the interval 252 - 159 , " 4 "- " 2 " in the exponent series. It could eventually too be interpreted as a position, inviting the " $21^{\text {st }}$ amino acid", UGA, with $\mathrm{Se}, 93 \mathrm{~A}$ (if isotope 78) to fill a scheme in this respect: a variation of Cys, UG, with $3^{\text {rd }}$ base U/C. (?)]

An association: The " 2 -base-coded" are 6 out of 10 in the G+C-group, 2 out of 14 in the U+A-group. With the aspect of debranched degrees as numbers, it gives the chain $2-6-10-14$, reminding of the orbitals $\mathbf{s}, \mathbf{p}, \mathbf{d}, \mathbf{f}$ in electron shells...

(Cf. Ams with " 2 -base-codons" in G1+C1-group $=259, " 2 "+$ " 1 " in the exponent series.)

## The "2-base-coded" in each group:

$$
\begin{array}{ll}
\mathrm{G} 1+\mathrm{A} 1: & \mathrm{GG}+\mathrm{GC}+\mathrm{GU}+\mathrm{AC}=\mathbf{1 0 4} \\
\mathrm{U} 1+\mathrm{C} 1: & \frac{\mathrm{CC}+\mathrm{CG}}{\mathbf{1 5 9}}+\frac{\mathrm{CU}+\mathrm{UC}}{\mathbf{1 7 6}}=\mathbf{2 3 1}
\end{array}
$$

159 the part of RNA+Pair-coded ams,
176 the part of the Cross+Form-coded.
$104=$ "2-base-coded" of G1 + A1 $=1 / 2 \times 208$,
231, -1 (if Arg uncharged) = "2-base-coded" of C1 + U1 = $1 / 2 \times 460(=252+208)$.
There is the same division $-/+2$ within the " 2 -base-coded" ams in $2^{\text {nd }}$ base ordering:
$\mathrm{G} 2+\mathrm{A} 2=934,-\mathbf{1 0 2}=\underline{832}=2 \times 416$
$\mathrm{C} 2+\mathrm{U} 2=570,-\mathbf{2 3 3}=\underline{337},=336+1 . \quad 584+/-248=832,336.248=584-336$.

## Inosine and Orotate added to number 292:

Adding the mass numbers of these parents of the codon bases to $292=$ " 5 ", to the next numbers in the exponent series, " 4 " and " 3 ", the sums x 2 become the totals for G+Acoded ams and U+C-coded ams respectively:

$$
\begin{array}{ll}
\mathrm{G} 1+\mathrm{A} 1=688=\mathbf{2} \text { Inosine à } \mathbf{1 3 6}+\mathbf{2} \times \mathbf{2 0 8} & (2 \text { Inosine }=272=1 / 2 \times 544) \\
\mathrm{C} 1+\mathrm{U} 1=816=\mathbf{2} \text { Orotate à } \mathbf{1 5 6}+\mathbf{2} \times \mathbf{2 5 2} . & (2 \text { Orotate }=312=3 / 2 \times 208)
\end{array}
$$

| "5" | "4" | " 3 " | "2" | "1" |
| :---: | :---: | :---: | :---: | :---: |
| 292 | 252 | 208 | 159 | 100 |
| $\stackrel{\downarrow}{ } \rightarrow$ | +156 | + 136 |  |  |
|  | = 408 | = 344 |  |  |
|  | $\mathrm{x} 2=816$ | $x 2=688$ |  |  |
|  | $\mathrm{C} 1+\mathrm{U} 1$ | G1+A1 | s sum | chains |

Could there be a direct involvement of these parents to the bases in the "whole" of a pre-amino acid configuration? The question will be returned to in part II.

Referring to the main division again, one general assumption seems to be that the mass numbers of the two molecules Inosine and Orotate are very closely connected - in one direction or the other ? - with the groups of R-chains of ams, - and the exponent series.

The arithmetic seems to support the general presumption in the introduction that numbers reign, more or less irrespective of what they represent.

## Another eventual interpretation of $3^{\text {rd }}$ base dividing:



A/G-coded ams: $\mathbf{2 7 2}+\mathbf{3 6 7}=\mathbf{6 3 9}, \quad-1=\mathbf{6 3 8}$
U/C-coded ams: $\mathbf{2 7 2 + 2 5 9}=\mathbf{5 3 1}$

## 5. The B-chains, the similar part of all amino acids:

If the exponent series in many ways seem to steer mass numbers in the genetic code, it isn't the case for the separate, unbound amino acids. There is no connections as it seems between codon grouped whole ams, with B-chains included, and this series, and this can be regarded as very natural: The genetic code is a code for proteins, for bound ams where the B-chains form an own "co-ordinate axis" and of this reason may be analysed separately from the R-chains. It makes it reasonable - from the viewpoint of the genetic code - to look at the development in the direction of fragmentation through H 2 O as additions.

However, looking at the B-chains separately from codons, sums of B-chains seem connected with the exponent series too:

The numbers of B-chains:
In unbound ams: $(\mathrm{H}) \mathrm{HN}-\mathrm{CH}-\mathrm{COO}(\mathrm{H})=\mathbf{7 4} \mathbf{A},-1$ in $\operatorname{Arg} 1$ and 2, Lys and Pro. [1]
In ams bound through condensation: $\mathrm{HN}-\mathrm{CH}-\mathrm{CO}=\mathbf{5 6} \mathrm{A}$

```
544-100= 444=6 B-chains à 74 A,
544-208=336=6 B-chains bound à 56 A
    208-100= 108=6 H2O à 18 A
```

$544-10 \underline{1}=\underline{44}$, x $4=\mathbf{1 7 7 2}$, the sum of 24 B-chains.
(There are the number 101 again, but hardly - or only in $\operatorname{Arg} 1,2$, not in Lys, Pro, - connected with Arg (charged), as perhaps could be the case in the groups of R-chains ( $\mathrm{G} 1=292-101, \mathrm{C} 1=252+101$ ).

Number 74 could be defined as an interval of second order:


Is there anything in the division of the B-chains that could support the simple interpretation or reading above? So it seems:

For the bound ams, there is first the simple dividing:


For unbound B-chains:


A-number for the atoms.
Condensation raises the border of division half a step, from 367 to 208 . The half unit 0,5
seems to mirror the fact that the H -atom in the COOH -end changes position to the NH 2 end, giving the plus-charged and the minus-charged ends in peptides...

The division within bound B-chains à 56 A could naturally be thought of as across the position for condensation, which could give:

$$
\frac{\mathrm{CH}(\mathrm{R})}{13}-\frac{\mathrm{NH}-.-\mathrm{CO}}{43}=13-43 .
$$

$$
\begin{array}{ll}
6 \times 13=78,-1=\mathbf{7 7}=544-467 & (467=208+259+100), \\
6 \times 43=258,+1=\mathbf{2 5 9} & (544-208=336,-259=77 .)
\end{array}
$$

## Some other notes:

a) The number of B-chains from the exponent series was grouped in 6: Two of the number series giving the R-chains with the operation below are not enough for the Bchains:

$$
\begin{aligned}
& 544+208, \times 2=1504=24 \text { R-chains } \\
& 544-208, \times 2=672=12 \text { B-chains bound }
\end{aligned}
$$

Should the first three steps in the exponent series eventually be read both forward and backwards, (as in the "triplet series $5-4-3+3-4-5=888$, x $2=24$ unbound Bchains)? Eventually connected in some way with the opposite directions of R-chains in proteins?
b) There are other ways deriving groups of unbound B-chains for $\mathrm{G}+\mathrm{C}-$ coded and $\mathrm{A}+\mathrm{U}-$ coded ams: $2 \times 5$ and $2 \times 7$ B-chains:

$$
\begin{array}{r}
292-252-208-\frac{259}{159-100-} 0 \\
K \longrightarrow 107 \longrightarrow|<-101 \longrightarrow|
\end{array}
$$

292-101 = 191 = R-chains G1 (5 ams)
292-107 (~ next interval) $=\mathbf{1 8 5}, \mathbf{x} \mathbf{2}=\mathbf{3 7 0}^{*}=5$ B-chains à 74 . 259, $\mathbf{x} 2=518=7$ B-chains a 74.
*Cf. R-chains of groups: $\mathrm{UG}+\mathrm{GU}+\mathrm{UU}+\mathrm{GG}=\mathbf{3 7 0} \mathbf{- 1}$

$$
\mathrm{AC}+\mathrm{CA}+\mathrm{AA}+\mathrm{CC}=\mathbf{3 7 0}+\mathbf{1}
$$

c) All R-chains of ams with A-base in $1^{\text {st }}$ or $2^{\text {nd }}$ position $=\mathbf{8 8 8}+\mathbf{1}, \sim 12$ B-chains. All R-chains with C in these positions $=444 . \times 2=\mathbf{8 8 8}$.

Could there eventually exist some deep number connection with the common A-C-C-end of t -RNAs?
d) Number $336=3 \times 112,112$ the A-number of the U-base, the sum of 2 bound Bchains. Is it a coincidence that T in DNA is replaced by the U-base at start of the protein synthesis? There are of course chemical aspects of this replacement too: the hydrophobic CH2-group deducted for outward direction of RNA. Yet, the number itself may represent an essential, underlying arithmetical scheme?
e) 56, the number of bound B-chains, $\mathbf{x ~ 3 / 2}=84$, the interval $292-208$.

74, the number of unbound B-chains, $\mathbf{x} \mathbf{3 / 2}=111$, number 544-100, divided in 4 .
111 also $=$ A-number for the C-base - and the interval in the "triplet eries".
The factor $3 / 2$ could be regarded as an expression for an intimate connection between B-chains, as always lacking $1 / 2$ - and therefore the urge for growing chains?

## 6. N-Z-divisions:

The first observations from table 1 showed that the sums of G+C-coded ams and A+Ucoded ams become the same in $1^{\text {st }}$ and $2^{\text {nd }}$ base order. It also shows that N - and Z-sums only differ with $+/-1$ between $1^{\text {st }}$ and $2^{\text {nd }}$ base ordering. This latter observation led to the investigation below: How is the difference distributed in each codon base group? Is there some interesting information hidden behind the similarities?


The numbers from the exponent series appear ( +1 in C - and A -groups) and it seems as if this series rules over the N-Z-division too, dividing the N-/Z-distribution, if reading Aand U-groups backwards from $2^{\text {nd }}$ to $1^{\text {st }}$ ordering. (Cf. number of ams equally divided between G1 and C1, 5+5, $+/-1$ in $1^{\text {st }}$ base ordering, but between U 2 and $\mathrm{A} 2,7+7 .-/+1$ in $2^{\text {nd }}$ base ordering.)

Numbers 500, 460:


Cf. the triplet series, $543+432+321+210=1506$, with +1 in numbers for $C$ - and A-groups. $012+123+234+345=\mathbf{7 1 4}, 712+2$. Interval $1506-714=792$.

Adding Z- and N-numbers crosswise, counting with two sets of ams, gives these same numbers:

$$
\begin{array}{ll}
\mathrm{G} 1 \mathrm{Z}+\mathrm{G} 2 \mathrm{~N}, 105+187=\mathbf{2 9 2}, & \mathrm{C} 1 \mathrm{Z}+\mathrm{C} 2 \mathrm{~N}=195+58=\mathbf{2 5 3} . \\
\mathrm{U} 2 \mathrm{Z}+\mathrm{U} 1 \mathrm{~N}, 247+213=\mathbf{4 6 0} . & \mathrm{A} 2 \mathrm{Z}+\mathrm{A} 1 \mathrm{~N}=282+219=\mathbf{5 0 1}
\end{array}
$$

The complementary additions give the numbers 310-233-440-519:
They are given by $-/+$ the interval " $\mathbf{2 - 1 "}=\mathbf{5 9}$ in the exponent series ( $-/+1$ ).

## Interval 49 in the middle step: " 3 "- " 2 " : 208-159:

This interval, -/+ $49(+/-1)$ gives the N-Z-division between main codon groups $\mathrm{G}+\mathrm{C}$, A+U:


Receiving numbers of ams groups through plus/minus intervals in the exponent series (see also page 13) could support the suggested view on "the whole" in terms of a coordinate system, axes pointing in opposite directions (signs $+/$-), representing polarities as different properties. Intervals between intervals as a mix:

$$
" 5-4 "=40 \lll 59: " 2-1 "
$$

## H-atoms in R-chains $=152=8 \times 19$ :

In the displacements above from $1^{\text {st }}$ to $2^{\text {nd }}$ base order the difference $\mathrm{N}-\mathrm{Z}=19 \quad-/+1$. The H -atoms are distributed on the individual codon groups with circa

$$
\begin{array}{llll}
\mathbf{1 / 8 - 2 / 8 - 2 / 8 , ~ 3 / 8} & =\mathbf{1 9 - 3 8}(-1) & -\mathbf{3 8}(-1)-\mathbf{5 7}(+2): \\
& \text { G1-C1 } & \text { U1 } & - \text { A1 } \\
& \text { C2-G2 } & \text { A2 } & - \text { U2 (C2 17, G2 37, A2 41, U2 57) }
\end{array}
$$

With this division of H -atoms it's possible to derive the N - and Z-numbers of the individual codon base groups +/-1 (+/-2 in the last A-base group with Lys AA and Arg AG charged).

Examples: $\quad$ G1: $191 \mathrm{~A},-19=172, \mathrm{x}$ ½ $=86 \mathrm{~N}, \quad+19=105 \mathrm{Z}$.

$$
\mathrm{A} 1: 497 \mathrm{~A},-57=440, \mathrm{x}^{1} 1 / 2=220=\mathrm{N}+1,+57=277=\mathrm{Z}-1
$$

> How could this distribution of H in eighth be interpreted in relation to the exponent series? Perhaps it's guided from a more elementary level? $(15 / 8)^{2 / 3} \times 100=152.15 / 8$ $=(5 \times 3 \times 1) /(4 \times 2)$.

## The whole sums N and Z in 24 R-chains:

$$
\begin{aligned}
& 2 \times 544-259=\mathbf{8 2 9}=\mathbf{Z} \text { total } \mathbf{+ 1} \text { or " } 4+3+3+2 \text { " }=460+367=827=\mathrm{Z}-1 \\
& 2 \times 208+259=\mathbf{6 7 5}=\mathbf{N} \text { total }-\mathbf{1} \quad \text { " } 3+3+2+1 "=416+259=\mathrm{N}-1 \\
& \mathrm{H}=" 4 "-" 1 "=152
\end{aligned}
$$

Other examples of crosswise additions, this one giving equal (or +2 ) divisions $\mathrm{N}-\mathrm{Z}$ :

| N-number: | $\mathrm{G} 1+\mathrm{U} 1=299$ | $=299=\mathrm{A} 2+\mathrm{C} 2$ |  |
| :--- | :--- | :--- | :--- |
| Z-number: | $\mathrm{G} 2+\mathrm{U} 2=377$ | $=377=\mathrm{A} 1+\mathrm{C} 1$ |  |
|  | $\mathrm{G} 1+\mathrm{U} 1=355$ | +2 | $=357=\mathrm{A} 2+\mathrm{C} 2$ |
|  | $\mathrm{G} 2+\mathrm{U} 2=471+2$ | $=473=\mathrm{A} 1+\mathrm{C} 1$ |  |

Crosswise addition N-Z between G2-C2-groups, U2-A2-groups gives the same numbers as Cross-plus Formcoded 770, RNA- plus Pair-coded 734:

$$
\begin{array}{lll}
\underline{\mathrm{G} 2: \mathrm{N}+\mathrm{C} 2: \mathrm{Z}}=262 & \rightarrow \mathbf{7 3 4} \leftarrow \underline{\mathrm{U} 2: \mathrm{N}+\mathrm{A} 2: \mathrm{Z}}=472 . & \text { Interval } 208+2 . \\
\underline{\mathrm{G} 2: \mathrm{Z}+\mathrm{C} 2: \mathrm{N}}=282 . & \rightarrow \mathbf{7 7 0} \leftarrow \underline{\mathrm{U} 2: \mathrm{Z}+\mathrm{A} 2: \mathrm{N}}=488 . & \text { Interval 208-2. }
\end{array}
$$

Summing-up: Even without a deeper interpretation of the rather intricate N-Z-relations above, a bit like lace-making in the crosswise additions, it's possible to see them connected both with codons and with the exponent series as a suggested structuring principle.

## Number 246, sum of displacements in $\mathbf{N}+\mathrm{Z}$ from $1^{\text {st }}$ to $2^{\text {nd }}$ base order:

In G-C-groups 220, in A-U-groups 26. One way to get these numbers, abbreviated:

$$
\text { G-C: } 5^{4 / 3}-4^{4 / 3}, \underline{x} 100=220 . \quad \text { A-U: }(5+3)^{4 / 3}-(4+3)^{4 / 3}, \underline{x} 10=26 .
$$

Could the exponent $4 / 3$ represent an underlying level? (Cf. page 29, b, d.)
246 happens to be the sum of the 4 double-coded ams too (R-chains): Any connection? The question is returned to in part II.

## 7. Atoms in R-chains - number divisions $\mathbf{C}, \mathbf{O}, \mathbf{N}, \mathrm{S}, \mathrm{H}$ :

Here the investigation doesn't concern codons.

## a. Kind of atoms;

The first rather astonishing fact is the division between the C-skeleton and the added atoms, the same as between main codon groups but without connection with these:

```
S+O+N+H-atoms = 544 A
C-atoms, 80 à 12 =960 A =544+416
292+100 = N+O+S, 12 N, 10 O, 2 S
252-100 = H-atoms, 152 H
10 O+2 S + 152 H=376= 1/2 x 752
    \vdash}2\times20
12N =168 = 1/2 x 336(544-208).
80 C+12N=1128=3\times376
```


## b. Cn: Number of C-atoms in R-chains as basis for division of total mass (R):

N.B. that C here represents carbon.

| C7 |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| C4 / |  | 1 | C3 | C0 | C2 | C1 | 1 C 9 |  |
| 584 | 198 |  | 305 | 1 | 162 | 124 | 130 | A-sums of R |
| Argl Ileul | Phe |  | Glu | Gly | Asp | Ser 1 | Trp |  |
| Arg2 Leul | Tyr |  | Gln |  | Asn | Ala |  |  |
| Lys Ileu2 |  |  | Pro |  | Thr | Ser 2 |  |  |
| His Leu2 |  |  | Val <br> Meth |  |  | Cys |  |  |
| C7 |  |  |  |  |  |  |  |  |
| / | 1 |  |  |  |  |  |  |  |
| C4 |  | C3 | C0 |  | C2 | C1, । | + C9 |  |
| 584 | 198 | 305 | 1 |  | 162 | 124 | 130 |  |
| 584 | 504 |  |  | 416 |  |  |  |  |
| $2 \times 292$ | $2 \times 252$ |  |  | $2 \times 208$ |  |  |  |  |
| " 5 " | "4" |  |  | " 3 " |  |  | Exponent series |  |
| 8 ams |  | 8 am |  |  |  | 8 ams |  |  |

The positions of the aromatic ams need explanation:
Phe and Tyr are constructed from a C3-station in the glycolysis with addition of a C4-molecule.

Trp, C9, is constructed the same way a bit, as a C3-piece plus C 4 , then its own way + C5 ... then with deductions and additions being a C 11 -molecule including the B-chain.

With reference to the background model, it's possible to see Trp "going the other way around" in the "dimension chain": Trp has chemical connections with the C1group: Ala, Ser1, Ser2, Cys:

- Ser contributes in the synthesis of Trp.
- Trp can break down to Ala.
- Trp shares the UG-code with Cys, which originates from Ser. [1]
(And why Gly - C0 - in the middle step 3-2? Perhaps not only freedom of the artist?)


## 8. Biochemical aspects as basis of mass division:

a. R-chains grouped with respect to kind of atoms CHx only or + N-O-S:

9 ams with only CHx-groups (+Gly, only H) $=\mathbf{4 2 0}$ Gly, Ala, Val, Leu 1, Ile 1, Ile 2, Pro, Phe, Leu2 $>888=\mathbf{2 ( 5 4 4 - 1 0 0 )}$
8 ams with S and O -atoms (and no N ): $\quad=468$ Meth, Cys, Ser1, Ser2, Thr, Tyr, Asp, Glu
7 ams with N -atoms, including Gln, Asn: $\quad=\mathbf{6 1 6}>\mathbf{6 1 6}=\mathbf{2}(\mathbf{2 0 8}+\mathbf{1 0 0})$
Trp, Asn, Gln, Arg1, Arg2, His, Lys $=416-2,+2 \operatorname{Arg}$ A 101
This way to group the R-chains in rough accordance with the exponent series could mirror the more fundamental development from CHx -groups to carbohydrates to amination, replacing oxygen O with nitrogen N .

Arranging the groups according to the reference [1] in nonpolar ams (= the one with only CHx-groups) versus polar ams plus ams "with polarising effect" gives

$$
420-1084(468+616)=2 \times 416+4,2 \times 544-4
$$

(An association: Could eventually a similar chemical characterisation be motivated which divide the ams in 8-8-8-groups? Some decades ago there was a view on the strong force that it seemed to involve 8 gravitational like potentials, 8 complex, resembling electromagnetic ones - and 8 simple, attraction like potentials: the number of 24 , as the amino acids here. The amino acids as the strong force on a superposed level!?)

## b. Glycolysis - citrate cycle: derivations of ams from these stations [1, 2]:

Can such an investigation, although not unambiguous, reveal some pattern?
Here is Ala, GC, regarded as derived from Oxaloacetate (can also derive from Pyruvate). Ser2, the same (AG-codon presumed), since there is another way (outside the main steps) from Oxaloacetate via Homoserine to 3-P-glycerate.

| 3-P-glyc. | Glycolysis |  | Citrate cycle |  |
| :---: | :---: | :---: | :---: | :---: |
|  | P-enolp | te Pyruvate | Oxaloacetate | $\alpha$-ketoglutarate |
| Gly GG | Trp UGG | Val GU | Ala GC | Glu GA |
| Ser1 UC | Tyr UA | Ile1 AU | Asp GA | Gln CA |
| Cys UG | Phe UU | Ile2 AU | Asn AA | Lys AA |
| Meth AUG |  | Leu2 UU | Thr AC | Pro CC |
|  |  | Leu1 CU | Ser2 AG | Arg 1 CG |
|  |  |  |  | Arg2 AG |
|  |  |  |  | His CA* |
| U1 (U2)+G1 | U1 | U2 | G1-A1 | C1-A1+G1 |
| 154 | 328 | 271 | 208 | 543 |
| $1 / 2 \times 960+2$ |  | $1 / 2 \times 544-1$ |  |  |
|  | 752 |  | 752 - |  |

* (His derives from A-base but can break down to this station [1].)

With Gly from some ams in $\alpha$-keto-group the division should become totally equal.

- Sum of all ams with $U$ in $1^{\text {st }}$ or $2^{\text {nd }}$ position is 752 , exactly half of the total sum and $=$ " 5 " $+4 "+$ " 3 " in the exponent series. All ams with U-contenting codons derive
from glycolysis, which as a suggestion has connection with the fact that UTP UDP... is the coenzyme working with carbohydrates [1].)
- According to numbers, it seems as if the whole process from breaking down fructose to $\alpha$-ketogluturate and Glu, as mainly responsible for amination, should be read backwards, with start at number $543(544-1) . \alpha$-ketoglutarate has as said before the number 292/2 = 146 uncharged.

The directions of the process from glycolysis outside mitochondria to the citrate cycle inside these is also inwards in this sense, which give cause for seeing the process backwards - as from higher to lower dimension degrees as outwards in the background model.

- With Ala removed to the glycolysis side, the division in numbers become 768-736, $+/-2 \mathrm{H}$ reminding of the similar division in codon type groups: 770-734, but essential to say, without any connections with codons.

Yet, main codon grouping of ams gives sums from the exponent series:

|  |  | $1{ }^{\text {st }}$ base grouping |  | $\underline{\text { 2nd }}$ base grouping |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\underline{\mathrm{G}+\mathrm{C}}$ | $\underline{\mathrm{A}+\mathrm{U}}$ | G+C | $\underline{\mathrm{A}+\mathrm{U}}$ |
| Glycolysis: | 753: < | $\underline{100+1}$ | 752-100 | $\underline{\mathbf{2 0 8}+1}$ | 544 |
|  |  | $\uparrow$ | $\downarrow$ | $\uparrow$ | $\downarrow$ |
| Citrate cycle: | 751: $\longrightarrow$ | 100-1 | $208+100$ | 336-1 | 416 |

Mass number distribution above: displacements from $1^{\text {st }}$ to $2^{\text {nd }}$ base ordering:

$$
\begin{array}{llcc}
\mathrm{G} 1+\mathrm{C} 1 \leftrightarrow & \text { G2+C2: } & \text { Glycolysis } \quad \mathbf{1 0 8} \\
-"- & \leftrightarrow & -"- & \text { Citrate cycle }+\mathbf{1 0 8} \\
\mathrm{A} 1+\mathrm{U} 1 \leftrightarrow & \mathrm{~A} 2+\mathrm{U} 2 & \text { Glycolysis }+\mathbf{1 0 8} \\
-"- & \leftrightarrow & -"- & \text { Citrate cycle }-\mathbf{1 0 8} \\
\hline(108=208-100=" 3-1 " \text {-interval. }) \\
\mathbf{1 0 8 = 6} \mathbf{~ x ~ 1 8 ~} & \text { (H2O). }-/+\mathrm{H} 2 \mathrm{O} \text { an essential aspect on these processes. }
\end{array}
$$

## Distribution of atoms in R-chains of ams, expressed in numbers of the exponent series:

$$
\begin{aligned}
= & \frac{\text { Glycolysis, }}{\frac{47 \mathrm{C}=564}{\mathbf{2 5 2 + 2 0 8},+\mathbf{1 0 4}}} \quad \underset{\text { diff. } 168}{\longleftrightarrow}=\frac{\frac{\text { Citrate cycle }}{33 \mathrm{C}=396}}{\mathbf{2 9 2 + \mathbf { 1 0 4 }}} \quad \text { (Cf. divisions page 11.) } \\
& \frac{\mathrm{S}+\mathrm{O}+\mathrm{N}+\mathrm{H}}{188+1} \\
= & \frac{\frac{\mathrm{S}+\mathrm{O}+\mathrm{N}+\mathrm{H}}{356-1}}{\mathbf{2 9 2 - 1 0 4 , + 1}}
\end{aligned}
$$

It could be essential to add that many numbers from the exponent series dealt with here appear in the glycolysis - citrate cycle, for instance:

104, 3-phospho-glycerate charged,
$2 \times 44$, pyruvate uncharged,

192 (292-100) isocitrate uncharged,
146, as mentioned above,$=\alpha$-ketoglutarate uncharged,
100, succinyl charged,
101 succinyl uncharged,
$2 \times 58=116$, succinate
and 59 , the essential incorporated group $\mathrm{CH} 3-\mathrm{COO}^{-}$, charged*.
*Cf. intrvals in the exponent series: $252-1-208-159-100$
44 —— $15-59$
$\mathrm{COO}^{-} \mathrm{CH} 3$
Compare Ala, 15 A (R), as derivable "across" the border outside/inside mitochondria.

## c. Codons with U as $1^{\text {st }}$ or $2^{\text {nd }}$ base: all in stations of the glycolysis:

As suggested above it could be connected with the role of UTP (-DP...) as the active coenzyme in reactions of carbohydrates?

The sum 752 of U -containing codons ( $1^{\text {st }}$ and $2^{\text {nd }}$ position) is divided in this way:

| Cross- + Form-coded ams with U in codons | $=\underset{\uparrow}{\mathbf{3 0 8}}$. The rest $=462=\mathbf{4 6 0}+\mathbf{2}$ |
| :--- | :---: |
|  | $\uparrow$ |
| RNA- + Pair-coded ams with U in codons | $=\mathbf{4 4 4}$. The rest $=290=\mathbf{2 9 2} \mathbf{- 2}$ |

Arrows for the reading direction of numbers related the exponent series.

```
444=544-100, 308=208+100
            444 308
    544-100 208+100
    292-\frac{252-208-159-100-0 Exponent series}{292}
```

There is the same division too between the rest (no codons with U ), if this rest is divided in $\mathrm{G} 1+\mathrm{C} 1 \longrightarrow \mathrm{~A} 1$ :
$444=\mathrm{G} 1+\mathrm{C} 1$, ams without U-containing codons
$308=A 1$, ams without U-containing codons

## d. P-ribose-groups in nucleotides - and why triplets of bases?

The P-ribose-groups in chain binding $=195$ uncharged, 194 charged $(64$ or $63+131)$ :
$\mathbf{5 8 4}, \mathbf{2} \times 292$ in the exponnt series $=\underline{\mathbf{3 \times 1 9 5 - 1}}$.
This number from the exponent series could be one aspect on the cause for triplets of the bases in codons.
$(\mathbf{H}) \mathbf{P O}=64 \mathrm{~A}, \mathrm{x} 3=192 \mathbf{= 2 9 2} \mathbf{- 1 0 0}$, Ribose-group $=131 \mathrm{~A}, \mathrm{x} 3=\mathbf{2 9 2}+\mathbf{1 0 1}$.
Also: in the AMP-transportation of B-chains to t-RNA, the B-chains have mass value 73 , half of number 146: 24 B-chains $=6 \mathrm{x}$ number $292=$ " 5 ".

## 9. The codon bases in relation to the exponent series:

It was earlier observed that the two molecules from which the bases derive in developed organisms [1], Inosine and Orotate, with masses (A-numbers) 136 and 156, give the sum 292 , the first number in the exponent series.

Is it also possible to relate the mass numbers of the codon bases to this series? Below some annotations, not meant in themselves to convince of such a relation:

G-base: 151 A , included +1 for bond to ribose
C-base: $111 \mathrm{~A}, \quad$ - " -
U-base: 112 A - "-
A-base: 135 A, - " - Sum RNA-bases 509 A
T-base: 126 A, - " - Sum DNA-bases (T instead of U): 523 A

## RNA-bases:

The 4 RNA-bases bound $=\mathbf{5 0 5}, \sim \mathbf{1 / 2} \mathbf{x 1 0 1 1}$, sum of the whole exponent series.
DNA-bases: $4 \mathbf{x}$ the mass numbers of the DNA bases:

| $4 \times$ C-base | $=544-100$ | $(" 5+4-1 ")$ |  |
| :--- | :--- | :--- | :--- |
| $4 \times$ G-base | $=504+100$ | $(" 4+4+1 ")$ |  |
| $4 \times$ A-base +1 | $=544$ | $(" 5+4 ")$ | Why 4 of them. |
| $4 \times$ T-base -1 | $=500$ | $(" 5+3 ")$ | Cf. further part II. |

## N-Z-division in 4 DNA-bases, sum 523 A, to compare with the exponent series:

| Z: | $272=544 / 2$ | G+C: 136, | A+T 136 |  |
| :--- | :--- | :--- | :--- | :--- |
| N: | 251 | $=252,-1$ | G+C: 126, | A+T 125 |

Mean value of a base pair of DNA
happens to be the quotient: $\quad 544 / 208, \times 100=261,5$.

## Synthesis of Inosine and Orotate from which the bases derive [1]:

It starts with Asp (one "half" of Orotate, for U- and C-bases), with Gly (as a centre in Inosine, for A-, G-bases):

Asp 133 A, Gly 75 A (R+B-chains):
$\mathbf{1 3 3}+\mathbf{7 5}=\mathbf{2 0 8}={ }^{\prime} 3$ ' ' in the exponent series.
$\mathbf{1 3 3}=292-159,75=367-292$.
The synthesis has several complementary features. One kind of complementarity could be seen in the fact that these numbers are inversions:

$$
133 \wedge 75\left(x 10^{x}\right)
$$

## The exponent $\mathbf{2 / 3}$ applied to mass numbers of codon bases:

Since the exponent $2 / 3$ (with a constant x 100 ) gave the "exponent series" from a fundamental " 5 -dimensional" chain 5-4-3-2-1, the question arose if the exponent could work as an "operator" (with a term from vector analysis) even on other fundamental life substances as here the codon bases.

As shown below it gives sums from the exponent series (with and without a "constant" x 10). However, it's left to mathematicians and scientists in the field of bioinformatics to eventually find out if such operations and results make sense in a deeper, integrated logic:

## Bases bound, with exponent 2/3:



## 10. Separate $R$-chains of amino acids with exponent $2 / 3$ :

With the same, certainly vague hypothesis as above, about the exponent perhaps acting as an operator even on more "polarised" number levels, the separate amino acids with exponent $2 / 3$ were tested (Table 3, page 72 ). The R -chains with exponent $2 / 3$ give numbers from 1 to 25,66 . The sums gather in numbers of the " 3 " - " 2 "-step in the exponent series, perhaps of interest in a further dimensional analysis:

R-chains: the 24 numbers summed $=367 .=208+159=" 3+2{ }^{\prime}$.


$$
\mathbf{3}^{\mathbf{2 / 3}}+\mathbf{2}^{\mathbf{2 / 3}}, \text { x } 100=\mathbf{3 6 6}, \underline{\mathbf{7 4 8}} .
$$

Divided on code base groups:

$$
\begin{aligned}
& \Sigma\left[\mathrm{ams}^{2 / 3}\right]: \\
& \text { C1: 84,6 106,1: U1 } \Sigma \text { 191. (~ "5-1") } \\
& \text { A1: } 124,1 \quad 52,0 \text { : G1 } \quad \Sigma \text { 176. } \quad(\sim " 4+1 " \mathrm{x} 1 / 2) \\
& \Sigma \quad 208,7 \quad 158,1 \\
& \text { \366,8./ } \\
& \text { ~ "3" "2" }
\end{aligned}
$$

R- plus B-chains in peptide binding, with B-chain $=56 \mathrm{~A}$ for each ams
(Table 4, page 73):

$$
\begin{aligned}
& \text { C1: 125,7 155,3: U1 } \quad \Sigma 281 \\
& \begin{array}{clll}
\text { A1: } 192,0 & \text { 102,5: } & \text { G1 } & \sum 294,5 \\
\hline \Sigma \mathbf{3 1 7 , 7} & \mathbf{2 5 7 , 8} &
\end{array} \\
& \downarrow \text { 1575,5./ } \downarrow \\
& \text { ~ } 2 \times \text { "2" ~ " } 2+1 \text { " ( } 2 \times 159 \text { ), ( } 158+100 \text { ) }
\end{aligned}
$$

Cf. Just dividing this whole sum 2848 in two, in bound B-chains and R-chains. or halving, the results with exponent $2 / 3$ adds to 253, $\sim$ number " 4 " +1 :

With the type of operation: 2848, $\mathbf{x} \mathbf{1 / 4}=712: \rightarrow 712^{2 / 3}, \mathbf{x} \mathbf{4}=2 \times 159(+1)$ :
Dividing it in $\mathbf{3 \times 2}=6$ gives the sum $\mathbf{3 6 5}, \sim 367, " 3+2$ " in the exponent series
Dividing it in $\mathbf{4 \times 3}=12$, gives the sum
460, "4 + 3" -" -
Dividing it in $5 \times 4=20$, gives the sum 545. $\sim 544$ " $5+4$ " - " -
Dividing it in $5 \times 5=25-\cdots \quad-\quad 2 \times 294 .(2 \times 292+3) 2 \times " 5 "+3,5$.
Dividing it in $\mathbf{4 \times 4 = 1 6}$ - " $\quad \mathbf{2 \times 2 5 3}$. $(2 \times 252+2) 2 \times \times 4$ " +2
Dividing it in $\mathbf{3 \times 3}=9-"-\quad \mathbf{2} \mathbf{x} \mathbf{2 0 9}(2 \times 208+2) .2 \times " 3 ",+2$.

Dividing it in $\mathbf{1 \times 1 = 1}-\cdots-2 \times 100+1 \quad 2 \times " 1 "+1$
Such number relations seem to show on a close, inverse relation between a "fragmentation" principle and the dimension degree (using the view from the background model) with exponent $2 / 3$. This in the context of bound amino acids. Other numbers as 3276 , sum of unbound ams, or 1504 , the sum of R-chains, don't give such a pattern. Number 2848 doesn't seem to be a random one. Interpretations of these operations and results remain.

## 11. Other substances from the exponent series? Some transmittors:

It's reasonable to ask whether there are other central substances in life chemistry that could show patterns connected with the exponent series. Here only observations of transmitters, a few of the well-known ones. Their mass numbers make up about half of numbers in the exponent series as shown below.

If relying on this little selection, it would perhaps be possible to see them analogous to forces: assuming that a polarisation into "halves" is necessary to get an active force, not neutralised by its opposite force.

## The exponent series

| "5" | = $\mathbf{2 9 2}=2 \times 146$ | $146=$ Acetylcholine |
| :---: | :---: | :---: |
| "4 + 1" | = 352 $=2 \times 176$ | $176=$ Serotonin |
| "3" | = 208 $=2 \times 104$ | $104=$ Choline |
| "3" | = 208 $=2 \times 104$ | 104-1 $=\gamma$-Aminobuturate |
| "4" | = $\mathbf{2 5 2}=2 \times 126$ | 126-1 = Taurine |
| "5" | = $\mathbf{2 9 2}=2 \times 146$ | $146+1=\mathrm{Glu}$ |
| " $5+3+2$ " | $=\mathbf{6 5 9}=2 \times 329(+1)$ | 329 = Cyclic AMP |
| " $3+2$ " | $=367=2 \times 183(+1)$ | 183 = Adrenaline |
| "5+4-3" | $=\mathbf{3 3 6}=2 \times 168$ | $168+1=$ Noradrenaline |
| " $3+1$ " | $=\mathbf{3 0 8}=2 \times 154$ | 154-1 = Dopamine |

Some of the numbers in the exponent series:


## 12. Special arithmetical annotations related to the exponent series:

## a. Transformation from proportional distribution of mass to the exponent series:

How is the mass of the $24 \mathrm{ams}(\mathrm{R})$ distributed on codon groups in relation to a proportional division and how is a proportional division related to the exponent series?

Triplet numbers 5-4-3, x $2=10-8-6$ : sum 24 ams.

Following operations transform a proportional division into the exponent series:

$$
\begin{aligned}
& \mathbf{1 0} / \mathbf{2 4} \times 1504=627 . \rightarrow 627^{2 / 3}=73,26 \rightarrow 73 \times 4=292 .=5^{2 / 3} \times 100 \\
& \mathbf{8} / \mathbf{2 4} \times 1504=501 . \quad 501^{\mathbf{2 / 3}}=63,11 \quad \mathbf{6 3} \times \mathbf{4}=\mathbf{2 5 2} .=4^{2 / 3} \times 100 \\
& \frac{\mathbf{6} / \mathbf{2 4} \times 1504=376}{\text { Sum }} \quad 1504 \quad \frac{376^{\mathbf{2 / 3}}=52,09}{\text { Sum }} 188,43 \quad \frac{\mathbf{5 2} \times \mathbf{4}=\mathbf{2 0 8} .=3^{2 / 3} \times 100}{\text { Sum }}
\end{aligned}
$$

With the interval " 5 " - " 3 " in the series (= 84 ) seen as transferred from " 5 " to " 3 ", the results give about the main groups (cf. numbers, page 19):

$$
\begin{aligned}
292-208=\mathbf{8 4}: \quad 10 / 24 \times \mathbf{1 5 0 4} & =\mathbf{6 2 7}, \mathbf{- 8 4}=\mathbf{5 4 4}-\mathbf{1} .(\mathrm{G}+\mathrm{C}-1) \\
8 / 24 \times \mathbf{1 5 0 4} & =\mathbf{5 0 1 .} \quad=\mathbf{5 0 0}+\mathbf{1}(\mathrm{A} 1+4),(292+208,+1) \\
6 / 24 \times \mathbf{1 5 0 4} & =\mathbf{3 7 6},+\mathbf{8 4}=\mathbf{4 6 0 .} \quad(\mathrm{U} 1-3) .(252+208)
\end{aligned}
$$

It can be noted too that even without reference to the sum 1504, the quotients with 24 x $10^{3}$ approximate numbers of the exponent series. The whole then $3 / 2 \times 10^{3}(1500)$, as for instance with Arg2 + Lys uncharged, Glu and Asp charged:

$$
\begin{aligned}
& \mathbf{7 / 2 4}=0, \mathbf{2 9 2} ., \times 10^{+3} . \times 2=\mathbf{5 8 4 .} . \quad \mathbf{2 9 2 + \mathbf { 2 5 0 } = \mathbf { G 1 } + \mathbf { C } 1 \mathbf { - 2 } ,} \\
& \mathbf{6 / 2 4}=0, \mathbf{2 5 0} \times 10^{+3} \times 2=\mathbf{5 0 0}(2 \times 252-4) \quad+\mathbf{2} \times \mathbf{2 0 8}=\mathbf{U 1}+\mathbf{A 1} \mathbf{- 2} \\
& \mathbf{5 / 2 4}=0, \mathbf{2 0 8} ., \times 10^{+3} \times 2=\mathbf{4 1 6 .} \ldots \ldots . . \text { intervals in the steps } 84
\end{aligned}
$$

## b. First intervals in the exponent series with exponent 3/2:

An inverted exponent, applied to first intervals in the exponent series, "re-establishes" first 2-3 numbers in the series. Interval 44 gives number 292 as a kind of feed back:


$$
\begin{aligned}
& \mathbf{4 0} \mathbf{3}^{\mathbf{3 / 2}}=252,98 .=\mathbf{2 5 3} . \\
& \mathbf{4 4} 4^{\mathbf{3 / 2}}=291,86 .=\mathbf{2 9 2} \ldots . . . . \text { Sum } \mathbf{5 4 4}+\mathbf{1} . \\
& \mid
\end{aligned}
$$

Third number ?: $84-49=35, \rightarrow \mathbf{3 5}^{\mathbf{3 / 2}}=207,06=\mathbf{2 0 8} \mathbf{- 1}$
$\mathbf{8 4}^{\mathbf{3 / 2}}=[292-208]^{3 / 2}=\mathbf{7 7 0} .=$ Cross- plus Form-coded ams.

Compare with $42,1 / 2 \times 84$, divided and whole number:

$$
\begin{aligned}
& 2 \times\left(20^{3 / 2}+22^{3 / 2}\right)=\mathbf{3 8 5}, 26 . \\
& \longmapsto-159 . \\
& 2 \mathrm{x} \quad 42^{3 / 2}=\mathbf{5 4 4}, 38 .
\end{aligned}
$$

Intervals in the three middle steps, sum 152:

$$
44^{3 / 2}=\mathbf{2 9 1}, 9 . \quad 49^{3 / 2}=\mathbf{3 4 3} \quad 59^{3 / 2}=\mathbf{4 5 3 , 2} \ldots \ldots . . \text { sum 1088,15. }=\mathbf{2} \times 544 .
$$

First three intervals: 40-44-49: with exponent 3/2:
$253+292=\mathbf{5 4 3} \mathbf{+ 2} . \quad 343=\mathbf{3 4 5} \mathbf{- 2}=\operatorname{sum} \mathbf{8 8 8}=12$ B-chains à 74 A . Cf. numbers of the triplet series.

## Exponent 4/3 (cf. point d. below)?

Testing another exponent (as related a higher dimension degree step 4-3?), shows up to be another way to re-establish the starting number 292:

```
\(40^{4 / 3}+44^{4 / 3} \approx \mathbf{2 9 2}, 13\).
    \(84^{4 / 3}=367,9 . \approx \underline{208+159},+1 . \quad \times 2 \approx 736 .=\) RNA -+ Pair-coded ams +2.
```


## c. Inversions and geometrical relations:

Inverted $(\operatorname{sign} \Lambda)$ numbers could be regarded as one form of complementarity around the unit number 1. There are two such (approximate) examples below concerning the codon type groups.

It's interesting that the numbers at the same time are related as half diagonals to the side in squares, $1 / \sqrt{ } 2$. The relations seem to illustrate some kind of feed back. If these facts are not just accidental, the deeper meaning is here left to mathematicians to discover.

$\downarrow$ — The diagonals, halved, refer to each other through inversions.

## d. Exponent 4: some numbers of amino acids from this chain:

Assuming a fundamental chain 5-4-3-2-1-0 with exponent $2 / 3$ as a regulating scheme for codons and associated amino acids, it would be possible to imagine deeper levels (as of higher dimension degrees), where an exponent 4 was the ruling one?

Some numbers from such a chain:


## e. Comparison with a " 2 -figure-chain":

There is other ways operating with a fundamental " 5 -dimensional" chain, which give similar numbers as the exponent series (sometimes $+1,+2$ as in the triplet series). This supports the idea of such a series at bottom, behind the pattern of the genetic code.

Here the elementary chain 5-4-3-2-1-0 with a superposed level 9-7-5-3-1. Additions of 2-figure-numbers "downwards" and "upwards":


Comparisons with numbers in the exponent series:

```
189-1 = 1/4 x (292+252+208)= 1/4 \times 752
168 = 1/2 x 336(544-208)
147-1 = 1/2 x 292
126=1/2 x 252 - steps 4-3-2 here ~ 5-4-3 in the exponent series
105-1 = 1/2 x 208
    84 = 292-208, etc.
[68147 126 105 
189+168+147 + 126 + 105 + 84=819, x 4 = 3276, 24 ams, R+B.
Mean value 2 ams, unbound, R+B,= 273 = 147 +126.
```

(Numbers 168, 147, 126 look like A-number x $10+$ Z-number of the atoms O, N, C: 16-8, 14-7, 12-6. If this wasn't just a funny way of reading, there would be found an internal division in the Z -sum of N and in the A -sum of O -atoms (9-7) and C -atoms (7-5)! And the first half of the chain inwards illustrates the $\mathrm{C} \rightarrow \mathrm{N} \rightarrow \mathrm{O}$-cycle of fusion in the sun, the second half inwards $21-42-63-84=\mathrm{D}-\mathrm{He}-\mathrm{Li}-2$ alpha... as a more elementary line of fusion! The role of Bohr 10-5?)

## 3276, the total sum of 24 unbound amino acids, $R+B$-chains:

Additions downwards in last 4 steps: $52+32=84$ etc., and exponent $3 / 2$ :

$$
\begin{aligned}
& \mathbf{8 4} \boldsymbol{4}^{3 / 2}=\underline{\mathbf{7 7 0}} . \mathbf{6 3}^{3 / 2}=\underline{\mathbf{5 0 0}} . \mathbf{4 2}^{3 / 2}=\underline{\mathbf{2 7 2}}=1 / 2 \times 544 \quad \mathbf{2 1} \mathbf{1}^{3 / 2}=\underline{\underline{96}} .=1 / 2 \times 192
\end{aligned}
$$

Sum 1638, $\mathbf{x} 2=\underline{\mathbf{3 2 7 6}}(3276,7)=.24 \mathrm{ams} R+B$.

## Sum 1504 of R-chains of ams out of horizontal reading:

Reading the chains above horizontally, up and down between levels, as a wave *, in the first 5-4-3-steps to the middle of the chain (the upper 5), gives the squares of the codon type groups +/-1:
Forwards ~ outwards:

$$
\text { 5-9-4-7-3-5 } \rightarrow \sqrt{ }=771 . \quad=\text { Cross- plus Form-coded ams }+1
$$

Backwards ~ inwards: $>1504$.
5-3-7-4-9-5 $\rightarrow \sqrt{ }=733$. = RNA- plus Pair-coded ams -1
(* Could wave functions in quantum mechanics eventually be interpreted as oscillations between different levels, superposed and polarised ones??)

## f. The Golden Section:

There are examples of the Fibonaccio series in nature. How about the Golden section which gives similar results? Do such relations appear in the exponent series?

Some approximated number relations $(\sqrt{5} / 4,+1 / 2=\underline{1,618 \ldots}$, shortened $g s)$ :

$$
\begin{array}{rlrl}
\mathbf{2 0 8} \times \mathrm{gs} & =\mathbf{3 3 6}, 5 \times \mathrm{gs}=\mathbf{5 4 4}, 5 . \\
+367 & \mathrm{gss}^{2} & =\mathbf{9 6 0 ,} . & (367=208+159), 1 / 2 \times \text { RNA- plus pair-coded }) \\
=\mathbf{5 7 5} \mathrm{x} \mathrm{gs}^{2} & =\mathbf{1 5 0 5 .} & \text { (Pure A-U-codons: } 575=A A+A U+U U+U A)
\end{array}
$$



## g. $\pi-\sqrt{ } 2$ : astonishing relations (!?) to the Exponent series:

Physicists have felt uncomfortable with infinities they meet in quantum mechanics.
The same kind of feeling only lies behind this test below, where the infinite (transcendent) numbers, $\pi$ and $\sqrt{ } 2$, were "quantified". Taking 2 -figure numbers, 5 from the start, neglecting comma, 5 with half a step of displacement ( 11 figures), and adding them, gave the sums below. $2 \pi$ and $2 \sqrt{ } 2$ give the codon type grouped amino acids (Rchains), the sum 1504.

If this treatment of such celebrities among numbers and the results make any sense and isn't just a play, the interpretation should probably be sought deeply in quantum mechanics and it has to be left to scientists in this field and advanced mathematicians to solve the mystery.

> [Addition $31+41+59$ etc.
> $14+15+92 \mathrm{etc}$.

431


14142135623 sum 175 y
321
$\pi$ : sum $\mathbf{4 3 1}=\mathbf{5 4 4} / \mathbf{2}+\mathbf{1 5 9} \mid$ in numbers of the exponent series
$\sqrt{ } 2$ : sum $\quad 321=960 / \mathbf{2 - 1 5 9}$ |
Numbers from $\pi$ and $\sqrt{ } 2=221+175=\mathbf{3 9 6}$, numbers $210+146=\mathbf{3 5 6}$, cf. page 11 .
Codon type groups 770 and 734 of the amino acids $=\mathbf{2 \times 3 8 5}$ and $\mathbf{2 \times 3 6 7}$.

| $\mathbf{3 8 5}=$ | $5^{2 / 3}+4^{2 / 3}-2^{2 / 3}$ | $\times 100$ | $=292$ |
| :--- | :--- | :--- | :--- |
| $\mathbf{3 6 7}=$ | $3^{2 / 3}+2^{2 / 3}$ | $\times 100$ | $=$ |

2 -figure numbers out of $\pi$ and $\sqrt{ } 2$ added in vertical direction:


## Cheops pyramid:

292 / $2=\mathbf{1 4 6}$, $\sim$ the height of the Cheops pyramid - out of number " 5 "
$460 / 2=\mathbf{2 3 0}, \sim$ the side of the pyramid (in meters !!) - out of numbers " 4 " and " 3 ".
Cf. Pythagorean theorem. An old Egyptian "ell" is said to have been circa $1 / 2$ meter.

## Other divisions of the sums give similar numbers of the exponent series. One example:

| $\pi$ | 31144115 | 59922665 | 5335 |  |
| :---: | :---: | :---: | :---: | :---: |
| $\sqrt{ } 2$ | $\underline{14411442}$ | $\underline{21133556}$ | $\underline{6223}$ |  |
|  | 210+2 | 367 | 175-2 | $212 \otimes 173=366,76 \times 10^{2}$ |
|  | 1 |  | ) | " $3+2$ " $=366,74$. |
|  | 1 | 385 |  |  |

What kind of relation could exist, which closely couples $\pi$ and $\sqrt{ } 2$ ?
$\pi$ represents $1 / 2$ of a unity circle, but $\sqrt{ } 2$ only $1 / 4$, if illustrated as in the figure below? Could we interpret it in terms of a step or displacement in dimension degree 3 to 2: (4-3-1 $\rightarrow$ 3-2-1 as sums of the 2-figure numbers above)? $\pi$ related to a 3dimensional world, $\sqrt{ } 2$ to a 2 -dimensional one.

Figure 2


Assuming the definition of a dimension as characterised by two complementary "end-poles" (a-b, c-d in the figure), the shortest step between the poles in an 1-dimensional world would be 2 r and the shortest step in a 2-dimensisonal world could be only $\sqrt{ } 2$. In a 3 -dimensional world, the shortest way could be the circular one (with reference to Einstein)?
(There is an association here to Bell's theorem and Aspect's experiments with photons in quantum physics: measurements in two dimensions (directions) as a branched way for two possible outcomes. If there were no coupling between the two outcomes, the maximum result of Bell's formula should be $+/-2$. But the experiments showed on a maximum of $+/-2 \sqrt{ } 2$. And the question arises: what would be the result if measurements were carried out in three dimensions?)

## h. $\sqrt{1} / 3-\sqrt{2} / 3$ : relation to the Exponent series:

As a background of table 2 over Cross- plus Form-coded ams, there were the numbers $3^{3}-2^{3}, 27-8$, (with some connection to group theories in elementary particle physics?). From these numbers some other numbers in the exponent series are possible to derive:

$$
\begin{aligned}
\sqrt{ } 8 / 27=[2 / 3]^{3 / 2} & =\mathbf{5 4 4}, 33 \times 10^{-3} \quad(\sim \text { G+C-coded ams }) \\
& <\mathbf{3 5 1}, 88 . \sim \text { C-coded ams }-1 . \\
\sqrt{ } 1 / 27=[1 / 3]^{3 / 2} & =\mathbf{1 9 2 , 4 5 .} \quad \cdots-\quad(\sim \text { G-coded ams }+1) \\
& =\mathbf{3 5 3}, 55 \quad-\cdots-\quad(\sim \text { C-coded ams. }) \\
\sqrt{ } 1 / 8 & \\
{[1 / 3]^{1 / 2} } & =577 . \times 10^{-3} \approx \mathbf{1 9 2 .} \times \mathbf{3 .} .192 \times 5=\mathbf{9 6 0} \text { (A+U-coded ams) }
\end{aligned}
$$

$544+192=734+2$, RNA- plus Pair-coded ams
960-192 = 770-2, Cross- plus Form-coded ams
Such numbers inspired to test a treatment of the numbers $\sqrt{ } 1 / 3$ and $\sqrt{ } 2 / 3$ in the same way as $\pi$ and $\sqrt{ } 2$, adding ten 2 -figure-numbers from each:

Figure 3:
$\tan \varphi=\sqrt{ } 2$

$\underline{\sqrt{ } 1 / 3 \text { and } \sqrt{ } 2 / 3:}$


The 2-figure numbers taken alternately from $\sqrt{ } 1 / 3$ and $\sqrt{ } 2 / 3$, upper numbers first, appeared to be a method to divide the sum 1011 in numbers related the exponent series.

If such a suspect oscillation - and the treatment at all, make any sense, it's left here for others to find the meaning.

[The surface of a right-angled triangle with hypotenuse $=1$ (as the radius in a unity circle) and the orthogonal sides $=\sqrt{ } 1 / 3$ and $\sqrt{ } 2 / 3=\sqrt{ } 1 / 18$, as the square root of an inverted H2O-molecule, if it would be possible to imagine (!) $(\sqrt{ } 0,0555555555$..)]

## Part II

## Transformations between number-base systems

## Introduction:

The background of this search for patterns in the genetic code was the 5-dimensional model or conceptual structure mentioned in part I. The model included a development from higher dimension degrees (d-degrees) through polarisations into complementary poles of lower degrees. During the investigation of the exponent series the vague idea arose that such steps between d-degrees in some way could be connected with different number base systems, 5-4-3 with base-10, -8, -6 systems.

First tested numbers was the mass numbers (A)90 of the codon bases of RNA. Surprisingly and curiously these transformations generated the numbers of codon type groups, halved: the numbers $385(+/-1)$ and 367 . With separate or added sums in the transformations, they gave both the R-chains and Bchains of the 24 amino acids.

Accidental or not? The question led to the investigations and results in this part II. It also revealed connections with the exponent series. More aspects on the transformations are given after a presentation of first results below.

Just one thing should be mentioned here: a number as $2848=24 \mathrm{ams}$ with bound Bchains, appearing as a base-6 number, should as such properly be written 3252. "Rewriting" numbers, using the higher base-10 figures, are frequently used here and discussed later.

## An introducing figure

## The whole sum of $\mathbf{2 4}$ unbound amino acids, $\mathbf{R}$ - plus B-chains: $\mathbf{3 2 7 6}$

| $\frac{16 \text {-base }}{\text { CCC }}$ <br> $\downarrow$ | $\frac{10 \text {-base }}{\mathbf{3 2 7 6}}$ <br> 12.12 .12 |
| :---: | :---: | | (The mass number of C-atoms in displacements of base- |
| :--- |
|  |



* The division of fructose in glycolysis gives C3-pieces, molecules with 3 C -atoms, and oxygen atoms moving between them...

All but one amino acid derives from the glycolysis and the citrate cycle where 1C- and 2 C -pieces are added and C 1 -molecules (CO2) is secreted. [1].

Isocitrate with 6 C-atoms, uncharged $=192=\mathrm{C} 0$ as a HEX-number $(292-100$ in the exponent series.).

## 1. The four RNA-bases transformed to the sum of 24 amino acids:

$4 \times 4$ RNA-bases give the total of $24 \mathrm{ams}, \mathrm{R}+\mathrm{B}$ unbound, $1504(\mathrm{R})+1772(\mathrm{~B})=$ 3276. Note that these transformations give reason for counting with the reduction of 4 H in B-chains Arg1, 2, Lys and Pro in accordance with the reference [1].

|  | 10- base | 8-base | Decimal multiplication: | Amino acids |
| :---: | :---: | :---: | :---: | :---: |
| G-base: | $151 \mathrm{~A}=$ | 227 |  |  |
|  |  |  | > 384, $\underline{\text { x } 2=768(\sim 770) ~ C r o s s+F o r m-c o d e d ~ a m s ~ R ~}$ |  |
| C-base: | $111 \mathrm{~A}=$ | 157 |  |  |
|  |  |  | $>1504(-2)=24$ R-chains (-2) |  |
| U-base: | $112 \mathrm{~A}=$ | 160 |  |  |
|  |  |  | > 367, $\underline{x} 2=734$ | RNA+Pair-coded ams R |
| A-base: | $135 \mathrm{~A}=$ | 207 |  |  |
| Sum: | 509 |  | 751 (753) |  |
| $2 \times 509=$ | $1018 \mathrm{~A}=$ | 1772 | $\longrightarrow 1772$ | = 24 B-chains unbound |

Mean value of the 4 transformed bases, divided or added pairs, 751-753: = 752: This is the sum of the first 3 numbers in the exponent series.

| 10-base | 6-base |  |
| :---: | :---: | :---: |
| $752<$ | 2848 | $=24$ ams $\mathrm{R}+\mathrm{B}$, bound |

Whole sum 3276 as a base- 6 number from only $\mathbf{G}_{8}+\mathrm{C}_{\mathbf{8}}$ :
$\mathrm{G}+\mathrm{C}$-numbers received in nb-8 read as base-10 numbers.
$2 \times 384=\frac{10 \text {-base }}{768} \quad \frac{6 \text {-base }}{\mathbf{3 2 7 6}} \quad=\mathbf{2 4}$ ams R+B unbound
G and C transformed together give $386=384+2$ :
A first example of the difference received at transforming whole versus divided numbers. The base pair $\mathrm{A}+\mathrm{U}$ gives no difference in this regard.

$$
\begin{array}{ll}
\text { G }+\mathrm{C}: & \frac{10 \text {-base }}{\mathbf{2 6 2} \mathrm{A}}=\frac{\underline{8-\text { base }}}{\mathbf{3 8 6}}, \\
\mathrm{A}+\mathrm{U}: & \underline{\mathbf{2 4 7} \mathrm{A}=} \mathbf{\mathbf { 3 6 7 } ,} \times 2=\text { Cross- plus Form-coded ams }+2 \\
\mathbf{7 5 3}
\end{array}
$$

Move of the nb- 8 numbers of the 4 bases to nb-16:

|  | $\mathbf{1 6}$-base | $\underline{10-\text {-base }}$ |  |
| :--- | :--- | :--- | :--- |
| $\mathrm{G}+\mathrm{C},+1$ | $\mathbf{3 8 4 , + 1}$ | 901 |  |
| $\mathrm{~A}+\mathrm{U}$ | $\mathbf{3 6 7}$ | $871 \ldots$. sum $\mathbf{1 7 7 2}$ | $=\mathbf{2 4}$ B-chains, unbound |

Numbers of ams: 20 ams --> 24 ams with 4 double-coded:
$\frac{10 \text {-base }}{20 \text { ams }} \longrightarrow \frac{8 \text {-base }}{\mathbf{2 4} \text { ams }}=+4$ double-coded ams

This transformation seems to be one of possible explanations to why there are 4 doublecoded ams, in the way of counting used in this paper.

## 2. First comments on an eventual interpretation and aspects on operations:

If the results above and on following pages are more than a chance, if assuming that they reveal some underlying principle in molecular development, how to interpret it?

A very general suggestion, the only possible here, is to see it as a factor in what is called affinities, and as a principle behind growth towards larger molecules and structures.

There is of course no magic transformation of masses and atoms on a material level. The numbers received in base- 8 , base- 6 etc. should be regarded as base- 10 -numbers and they are operated here (additions, multiplications...) in our ordinary base-10 system.

This implies that the transformations only represent or function as a kind of architect drawings, which reveals mutual relations between materialised structures.

The principle should originate in a multi-dimensional dynamic process of some kind (such as the 5-dimensional model behind this paper), the transformations outlining possible developments in different dimensional degrees.
(It's also possible to imagine that all numbers and biochemical properties, as energy levels, pH -values, ionisations, threshold values of other kinds etc. ultimately, at bottom derive from numbers of dimension degrees.)

## More concrete aspects to observe in the following transformations:

a) Selection of number base systems: With the background in a 5 -dimensional model, only operations between base-10, $-8,-6$ and $16(10+6)$ are treated here, as doubled values of d-degrees 5-4-3, which doubled in the exponent series gave the sum of 24 ams R. What should then 16 represent? Possibly $10+6$ (?) as there sometimes in the exponent series seemed to be a kind of "feed back" between " 3 " and " 5 ":

There are of course no theoretical reasons for the exclusion of other number base systems as 4 and 2 or perhaps odd numbers?

b) Transformations of divided or whole numbers:

Operations as additions and multiplications may be applied before or after a transformation, with quite different results.

At transformations to a lower base system, a split mass most often gives a smaller sum than transformation of the whole mass:

| 10-base | 8-base |  |  |
| :---: | :---: | :---: | :---: |
|  | single base 8 |  |  |
| G 151, x $2=302 \longrightarrow$ | $=456=2 \mathrm{x}$ | 227 | +2 |
| $\mathrm{U} 112, \mathrm{x} 2=224 \longrightarrow$ | $=340=2 \mathrm{x}$ | 160 | +20 |
| C 111, x $2=222, \longrightarrow$ | $=336=2 \mathrm{x}$ | 157 | +22 |
| A 135, x $2=270 \longrightarrow$ | $=416=2 \mathrm{x}$ | 207 | + 2 |

Just as a suggestion, such reductions could be thought of as connected with chemical processes. For instance:

```
+/- 2 could represent +/- 2H,
+/-20 (in base-8 system) }\longrightarrow=16 in base-10 system, ~ ' 'O
H2O = 18 A (base-10) \longrightarrow = 22 (base-8), difference 4:
Compare 4 H x 2 out of the citrate cycle ?
```

c) Re-writing of numbers in lower base systems, allowing figures of higher base systems, implies a reduction as pointed out in the introduction above. A new example: 416 as a base- 8 -number $=396$, twenty units lower, but the same number translated to base-10. Number 1160 as a base-8 number may be written 960, the sum of ams R in A-U-groups, or 958.

How to interpret such reductions? Just as an arithmetic formalism - or with a meaning in an underlying dimensional process? Eventually interpretable in terms of biochemical intermediate substances?
d) This question above is more adequate when it comes to the transformation gaps or intervals, between a number and its transformed appearance. With the hypothesis that these transformations reveal an underlying principle, the intervals represent a measure of the growth - or in the other direction of reductions. In which number base systems should they be interpreted? Optional? One example:

Number 208 (" 3 " in the exponent series), base-10 $=320$, base- 8 . Interval or gap $=$ 112: reading it as a base- 8 number it represents 74 , as a base- 10 number just 112 , transformed to base- $6=304$. All these numbers are ineresting in connection with ams, (cf. e.g. page 64) and could point out interesting relations in processes or structures in an eventual further investigation of the hypothesis.
e) Another simple question concerns the moving of a number, received for instance as a base-8 number, moved unchanged to base-10, transformed again etc. It's perhaps no problem with accepting such repeated operations, since the received numbers all must be regarded in the base-10 system (el below).

But what should a move or jump to base-16 of that same number imply (e2)?
$e 1)$ One example of repeated steps base-10 to -8 :

| bas | 8 -base | 10-base | 8 -base / |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 208 | $\rightarrow$ 320, ~ | 318 | 476 | $476 \rightarrow 73$ | 734 | $\rightarrow 1336$ |
| 212 | $\rightarrow 324$ | +324 | $\rightarrow 504$ | 504770 | 770 | $\rightarrow 1402$ |
|  |  | 642 | $\rightarrow 1202, \sim$ |  |  |  |

$734=$ RNA + Pair-coded ams R
$770=$ Cross + Form-coded ams R. $3276=24 \mathrm{ams}$ R + B unbound.
Re-writings $=$ reduction $-2,-220=-222=3 \times 74$ (B-chains unbound).
A difference at start of $4(\mathrm{H})$ grows to a difference of $36($ as 2 H 2 O$)$ between the codon type groups.

With a $5^{\text {th }}$ step of reduction, inwards, 418 as a base- 8 number leads to 272 , half the number 544 (" 5 " + " 4 ") in the exponent series.
e2) 16-base 10-base Nmber 318 from transformations in e1: $318 \rightarrow$ 792* Are there possible jumps between non consecutive dimension degrees which could imply that the number 318 moved to number base-16 as to another branch of development on the same "tree"? Or should it be read as a different number in another context, only with the same formal appearance? Such a question is just noted here, not answered. *792 is the difference between the triplet series outwards an inwards: $2(543+210)-2(012+345)$.

- Arrows in operations means reading or transformation direction.
- In text rows below number-base system is shortened nb-10, nb-8 etc.
- Sometimes index figures is used to mark the number base, as $\mathrm{A}_{8}$ for the mass of the A-base transformed to nb-8 $=207$.


## 3. From codon bases to amino acids, some more examples:

a. Two steps of transformation, connected with the role of the A-base in protein synthesis?

b. Codon grouped ams, R+B, from $4 \times 4$ RNA-bases:

10-base sums: $\quad \mathrm{G} 1+\mathrm{U} 1=\mathbf{1 4 6 8}=\mathrm{A} 2+\mathrm{C} 2$
$\mathrm{A} 1+\mathrm{C} 1=\mathbf{1 8 0 8}=\mathrm{G} 2+\mathrm{U} 2$
These same two sums may be received, but with an exchange between U - and C bases and with the multiplication after the transformation in the case of A- and Ubases:

| 10-base |  |  | 8-base |
| :---: | :---: | :---: | :---: |
| 4 G-base | $=604$ | $>$ | 1134 |
| 4 C -base | $=444$ | $\longrightarrow$ | 674...sum 1808 |
| 1 A-base | $=135$ | $\longrightarrow$ | 207, $\mathrm{x} 4=828$ |
| 1 U-base | $=112$ | - | $160, \mathrm{x} 4=640 \ldots$ sum 1468 |

If U - and C -base change partner, the sum is divided in nearly R - and B -chains:


Re-writing $640 \sim 638,828 \sim 830$ gives the right sums B 1772, R 1504.
c. $\mathbf{4 \times}$ RNA-bases separately transformed give also $2 \times 24$ B-chains:

|  | 10-base | 8-base |  |
| :---: | :---: | :---: | :---: |
| 4 G | $604 \longrightarrow$ | 1134 |  |
| 4 C | 444 | 674...sum 1808 ~ 1810 |  |
|  |  |  | $3544=2 \times 1772$, B-chains |
| 4 U | 448 | 700 |  |
| 4 A | 540 | 1034...sum 1734 |  |

d. One pair of codon bases G + C, times 4, gives through 2 steps $2 \times 24 \mathrm{ams}$, Rchains:


## 4. Starting codon AUG - and the common end of t-RNA, A-C-C:

The amino acid Meth, codon AUG, is starting the protein synthesis. Why? Its end group CH2 (-14) is deducted and gives it then the same mass number that the A-base, 135 $(\mathrm{R}+\mathrm{B})$. The A-base as coenzyme has the central role of transporting ams to the t-RNAs, the end of which is the bases A-C-C. Why? Are there any chemical explanations? Or could the transformations below point towards a deeper one?
a. Meth as a kind of reference - or the opposite, the bases a reference to Meth?

| 16-base | 8-base |  |
| :---: | :---: | :---: |
| 149 = Meth, R + B |  | $=4$ RNA-bases in base-10 syste |

$\frac{16 \text {-base }}{149} \rightarrow \frac{10 \text {-base }}{329}=\mathbf{c A M P}$, also $=$ A-nucleotide

The exponent series:

$$
" 5 "=\frac{16 \text {-base }}{292} \longrightarrow \frac{10 \text {-base }}{658}=\mathbf{2 \times 3 2 9}(\sim \text { cAMP })
$$

b. A-U-G-nucleotides separately transformed:

$A+U+G$ : the mass numbers of the bases interpreted as base- 8 numbers:

| 10-base: |  | 8-base: |  |
| :---: | :---: | :---: | :---: |
| 93 | $<$ | 135: A |  |
| 74 | < | 112: U |  |
| + $\underline{105}$ | < | 151: G |  |
| $=272$ | < | 398 | $272=1 / 2 \times 544, " 5$ " + " 4 " in the exponent series |

c. $\mathrm{A}+\mathrm{C}+\mathrm{C}=$ the similar end of t -RNAs to which the amino acids are transported:

| A+C+C-bases: |  |  | $\xrightarrow[357]{\text { 10-base }}$ | 8-base |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | $544+1$ |  |  |
|  |  |  |  |  | Exponent | series |
| ACC: |  | A | $135 \longrightarrow$ | 207 | = 208-1 |  |
|  | $<$ |  |  |  | > | >44-1 |
|  |  | 2 C | $222 \longrightarrow$ | 336 | $=544-208$ |  |

d. 1504 , sum of 24 ams $R$, - related to cGMP ionized (?) : cGMP: role in the protein synthesis ?
cGMP $^{-} \quad \frac{16 \text {-base }}{344} \longrightarrow \stackrel{10 \text {-base }}{836 \longrightarrow} \quad \frac{8 \text {-base }}{\mathbf{1 5 0 4}=24 \mathrm{ams} \mathrm{R}}$

## 5. From codon bases to nucleotides and conzymes of the bases:

In following transformations the mass numbers of the bases generates numbers of nucleotides and coenzymes, in some cases in an astonishing simple way.

They concern sums of the nucleotides and coenzymes as if separation, fragmentation and re-arrangements in the genetic code were a later history.

## Survey of mass numbers (A) in base-10 system:

4-5 code bases, mass numbers, including +1 for bond to ribose:

$$
\text { G 151, A 135, U 112, C 111... } \Sigma 509,+ \text { T } 126 \ldots \Sigma 635
$$

Sum of $2 \times 24$ bases, $1^{\text {st }}$ and $2^{\text {nd }}$ in the codons:

$$
15 \mathrm{~A}+13 \mathrm{U}+11 \mathrm{G}+9 \mathrm{C}=\mathbf{6 1 4 1}
$$

Nucleotides in chain binding:
RNA: G 345, A 329, U 306, C 305... $\Sigma \mathbf{1 2 8 5}$, ionized -1 in P-groups $=\mathbf{1 2 8 1}$
cGMP $=345$, cAMP $=329$
DNA: G329, A 313, T 304, C 289... $\Sigma \mathbf{1 2 3 5}$, ionized -1 in P-groups $=\mathbf{1 2 3 1}$
Coenzymes of the code bases:

| -TP |  |  |  |  |  |
| :--- | ---: | :--- | ---: | :--- | ---: |
| GTP | 523 | $\underline{\text { GDP }}$ | 443 | $\underline{\text { GMP }}$ | 363 |
| ATP | 507 | ADP | 427 | AMP | 347 |
| UTP | 484 | UDP | 404 | UMP | 324 |
| CTP | 483 | CDP | 403 | CMP | 323 |
|  | $\mathbf{1 9 9 7}$ |  | $\mathbf{1 6 7 7}$ |  | $\mathbf{1 3 5 7}$ |
| TTP | 498 | TDP | 418 | TMP | 338 |
| $=$ | $\mathbf{2 4 9 5}$ |  | $\mathbf{2 0 9 5}$ |  | $\mathbf{1 6 9 5}$ |

a. Transformations to nucleotides:


P-ribose-groups in chain bindings: ribose $131+$ HPO2~ 64 .
b. 4 RNA-nucleotides ionized $\mathbf{- 1}=\mathbf{1 2 8 1}$ :

c. Nucleotides, 4 DNA $1235+4$ RNA $1285=2520$ :

d. Bases read as nb-8 numbers $\rightarrow$ nucleotides $\mathbf{G}, \mathrm{A}$ :

e. 5 coenzymes -TP from 5 bases:

f. From 4 codon bases, separately transformed to the sum 751 (page 36) to numbers 1357-2495 and 6141:

| 10-base | 8-base |  |
| :---: | :---: | :---: |
| 751 | 1357 | $=4$ coenzymes -MP (G, A, U, C) |
|  | I |  |
| $\downarrow$ |  |  |
| 1357 | 2495 | $=5$ bases as coenzymes -TP (including TTP) |
| I |  |  |
| 1 |  | 6-base |
|  | $\longrightarrow$ | $6141=48$ code bases, $1^{\text {st }}$ and $2^{\text {nd }}$, for 24 ams |

g. 5 bases as coenzymes, -DP-form $=2095$ as a 6-base sum from the 4 RNA-bases:

| 10-base | 8 -base | 8-base | 6-base |
| :---: | :---: | :---: | :---: |
| G+C: $262 \longrightarrow 386$ |  |  |  |
| >753/753 $\mathbf{2 0 9 5} \longrightarrow \mathbf{5}$ bases as coenzymes -DP |  |  |  |
| A+U: 247 | $\longrightarrow 367$ |  | $\downarrow$ |
|  |  |  | 1695 |
|  |  |  | riting g |

## Coenzymes of the 4 RNA-bases, survey:

-MP:

-DP


Ribose-P $\sim \mathrm{P}=-\mathrm{DP}-$ form $=292=" 5 "$ in the exponent series $(=131+80+81)$

$$
(1772=24 \mathrm{ams} \text { B-chains })
$$



It seems as if the formation of the -TP-form of the coenzymes in some way involves the 4 complementary bases as well. An observation is also that number $\mathbf{6 0 1}$ above in nb-10 $=1997$ in nb-6. It's possible to get all 4 -TP coenzymes from only one base pair. (And in nb-6 number 601 should be the same as 557 re-written.)
$\mathbf{4 \times 3 7 2}=\mathbf{1 4 8 8}$, transformed to nb- $8=5 \times 544,2720$, the sum of 24 ams $R$ transformed to nb-8 $(2720=1460+1260$, page 45$)$.

1488 in nb- $6=416$ in nb-10, also a number from the exponent series.


## 6. P-groups:

Here it's shown that P-groups generates - or defines - to themselves the additional H2Omolecules both through transformation nb-10 to nb-8 and through re-writing. It's also shown (point b.) that the P-P-(P)-ribose-groups in the coenzymes of codon bases are directly given from single P-groups in nb-16 to nb-6. So are the masses of NAD and NADP:
a. $\mathrm{H}_{2} \mathrm{PO}_{4}{ }^{-} \sim$ group, $97 \mathrm{~A}, \quad \mathrm{PO}^{2-} \sim$ group, $79 \mathrm{~A}, \mathrm{HPO}_{3}{ }^{-} \sim$ group $=80 \mathrm{~A}$


$\underline{\mathrm{HPO}}_{3} \xrightarrow{\sim \text { group, } 80 \mathrm{~A}: ~} \frac{80}{\downarrow} \longrightarrow \frac{120,+117}{\downarrow}$
2 P-groups $79+80=159 \longrightarrow 237=\mathbf{3}$ P-groups à 79
(Energy storing in the bindings.)

$$
\frac{8 \text {-base }}{79 \sim \mathbf{8 1}}=+2 \mathrm{H}
$$

b. Coenzyme groups:

|  | 16-b |  | 6-base |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{H}_{3} \mathrm{PO}_{4}$ |  | $\longrightarrow$ | 372 = ribose-P-P-P in coenzymes of bases (-TP) |  |  |  |  |
| $\mathrm{HPO}_{3} \sim$ | 80 | $\longrightarrow$ | 292 = ribose $-\mathrm{P}-\mathrm{P}$ | - | " |  | (-DP) |
| 10-base |  |  |  |  |  |  |  |
| HPO3 ${ }^{-}$ |  | $80 \longrightarrow$ | $212=$ ribose -P | - |  | - | (-MP) |

c. NAD (664 A) - NADP (744 A) from P-groups:

d. The exponent series:

$$
\text { interval } " 3-2 "=\overline{49} \rightarrow \overline{\mathbf{8 1}=} \mathrm{H}_{2} \mathrm{PO}_{3} \sim
$$

## 7. Five times numbers in the exponent series in nb-8 generating main ams groups:

These examples seem to point out the significance of number 5 . They could also support the idea of polarisation steps in the background 5-dimensional model.
a. $5 \times$ numbers "5-4-3" in the exponent series as base- 8 numbers give main codon groups of amino acids:

It's of course possible to read the transformation in the opposite direction, but the exponent series has a broader application.

b. Steps of 'polarisations" " 5 " $\longrightarrow$ " 4 " $\longrightarrow$ " 3 ":

${ }^{1)} 5 \times 1 / 2 \times 752=1880(=10 \times 336-5 \times 292)$ :

$$
\begin{array}{clll}
\text { G+C, } \times 2=544 \times 2: & \frac{10 \text {-base }}{\mathbf{1 0 8 8}} & \longleftrightarrow & \underline{8-\text { base }} \\
\text { I880 } & =3360-1460
\end{array}=\mathbf{5} \times 376
$$

c. $\mathbf{1 0}$ times the sum $\mathbf{5 4 4}$ gives the sum of $\mathbf{2 4}$ ams in peptide ring binding:
24 ams, bound, $\mathrm{R}+\mathrm{B}: \quad \frac{10 \text {-base }}{\mathbf{2 8 4 8}}<\frac{8 \text {-base }}{\mathbf{5 4 4 0}} 10 \times(292+252)$
d. 5 x intervals in the exponent series in nb-8 give separate code base groups -/+1:

| Ams | 10-base |  | 8-base | Intervals in the exponent series: |
| :---: | :---: | :---: | :---: | :---: |
| G1+1 | 192 | $<$ | $300=5$ | $60=292-352=" 5$ "- ("4 + 1") |
| A1-1: | 496 |  | $760=5$ | $1152=252-100=" 4 "-{ }^{\prime} 1 "$ |
| U1+1 | 464 |  | $720=5$ | $1144=352-208=(" 4+1 ")-" 3 "$ |
| C1-1 | 352 |  | $540=5$ | $1108=208-100=" 3-{ }^{\text {c }} 1 "$ |

e. 84 = interval 292-208:

f. 5 x intervals " 5 " to " 3 " and " 3 " to " 1 ":
$\frac{10 \text {-base }}{128}<\quad \frac{8 \text {-base }}{200}=5 \times 40 \quad \frac{\text { Interval }}{(292-252)}$

544 / $2<$

$=$| $144<$ | 220 | $=5 \times 44$ | $(252-208)$ |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{2 7 2}$ |  |  |  |


| $" 4+1 "$ |
| :---: |
| $=\mathbf{3 \times 2 0 8}$ |$\frac{352}{\mathbf{9 6 0}}=5 \times 192 \quad$| $(2080$ | $=\mathbf{5 \times 1 0 0})$ |
| :--- | :--- | :--- |
| $(292-100)$ |  |

g. $5 \times$ numbers of exponent series in base-6:

h. $10 \times 104$ as nb- 8 number $=544$ in nb-10:

| 10-base | 8-base / | 10-base | 8-base |  |
| :---: | :---: | :---: | :---: | :---: |
| 544 | 1040 |  |  |  |
|  | $\sim 838 \longrightarrow$ | 838 | 1506, | $24 \mathrm{ams} \mathrm{R}+2 \mathrm{H}$ |

## 8. Generative production of partial sums of amino acids in codon type groups:

Here it's shown that transformation of numbers and intervals in the exponent series in 2 steps generates these codon type groups and main divisions within them. Meth from the interval 49 in the middle step " $3-2$ ":

RNA+Pair-coded ams:
367, $x 2=734$
Exponent series: $292-252-\mathbf{2 0 8}-\mathbf{1 5 9}-100$


Interval 208-159:

$\mathbf{5 7 5}=$ sum of A+U-coded ams, R, in the RNA- and Pair group out of transformations of numbers $208+49$ in two steps:
$\mathbf{5 0 0}=$ AU-, AA-, UU- plus UA-coded ams without Meth: AUG $=\mathbf{7 5}$.
$159=\mathrm{G}+\mathrm{C}$-group of ams in this codon type group.
Sum of displacements above: $292 \sim$ " $5 ", \mathbf{+ 2 6}=\mathbf{3 1 8}=\mathbf{2 \times 1 5 9}$ ("2").
318 is also $=$ number 320 above re-written, received from $208_{10}$ in a first step:
$10 \rightarrow 8$-base $\quad 10 \rightarrow 8$-base

$734=2 \times 367=$ sum of RNA- plus Pair-coded groups of ams.
Sum of displacement $=\mathbf{4 1 6}=2 \times 208$ ("3"), in steps $158+258$.

Cross- and Form-coded ams $=2 \times 385 \quad 385=544-159, \sim \underline{" 5 "+" 4 "-" 2 "}$


## 9. More transformations related the exponent series:

It was noted that transformation of the codon bases nb-10 to nb-8 gave the sum $752+/-$ 1 , the same sum as the first three numbers in the exponent series. Here the focus is on this series and number base relations are examined 1) to the codon bases, 2)) to groups of amino acids.

|  | $\mathbf{5}^{\mathbf{2 / 3}} \quad \mathbf{4}^{2 / 3}$ | $\mathbf{3}^{2 / 3}$ | $\mathbf{2}^{2 / 3}$ | $\mathbf{1}^{2 / 3}$ | $\mathbf{x} 100$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $=$ | $\underline{292}$. | -252. | -208 | $\underline{159 / 158}$ | -100 |

## Relations to codon bases:

a. Grouping of the codon bases in nb-8: $G+U+C=544, A=208-1:$

| 10-base | 8-base | (denotation here $\mathrm{G}_{8}$ etc.) |  |  |
| :---: | :---: | :---: | :---: | :---: |
| G $151 \longrightarrow$ | 227 (d |  |  |  |
| U $112 \longrightarrow$ | 160 |  |  |  |
| C $111 \rightarrow$ | 157....sum | 544 | 10-base |  |
|  |  |  |  | 8-base |
| A $135 \longrightarrow$ | 207... sum | 208-1 | $\mathrm{A}_{8} 207$ | $317=$ |

b. From numbers of the exponent series to codon bases, steps "5-4-3":

$$
\begin{aligned}
& 2 x \quad " 3 " \quad \frac{16 \text {-base }}{416} \longrightarrow \frac{10 \text {-base }}{1046} \\
& 1046=2 \times 4 \text { DNA-bases } 523 \\
& \text { in base-10 system } \\
& \text { RNA-bases presumably first in the development? } \\
& \text { A transformation from nb-16 to nb-10 for receiving the number for DNA-bases } \\
& \text { reminds of the aspect on groups of amino acids with "bridges" back from " } 3 \text { " to " } 5 \text { " } \\
& \text { (page 19) - and a suggestion that it could involve some kind of feed back mechanism. } \\
& \text { The inward direction from " } 3 \text { " to " } 5 \text { " in the chain has a correlation in the inward } \\
& \text { directed T-base and DNA in relation to RNA. It could support the interpretation of } \\
& \text { nb-16 as a sum, bridging over to nb-10 from nb-6. }
\end{aligned}
$$

c. 4 DNA-bases as a sum defines in transformation gaps base-pairs of DNA as intervals:

d. The 4 DNA-bases read as base- 6 numbers give the sum of $\mathbf{U}_{10}+\mathbf{C}_{10}$ :

|  | 10-base |  | 6-base |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 67 | $<$ | 151 | G-base |
|  | 43 | $<$ | 111 | C-base |
|  | 59 | $<$ | 135 | A-base |
| $+$ | 54 | $<$ | 126 | T-base |
| = | 223 |  | 523 |  |
|  | $223 \longrightarrow$ |  | $1011=$ | he sum of |

e. Transformation gaps between bases in nb-10 and nb-8 read as nb-16:
(Difference in nb-10 $74+/-2$ for G and $\mathrm{A}, 47-/+1$ for C and U .)

| nb-8 | nb-10 | 16-base | 10-base | 8-base |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| G: 227 | - $151=76$ | 76 | $\longrightarrow 118$ | 166 |  |
| C: 157 | - $111=46$ | 46 | 70 | 106....sum 27 |  |
| U: 160 | - $112=48$ | 48 | 72 | 110 |  |
| A: 207 | - $135=72$ | 72 | 114 | 162....sum 27 |  |
|  |  |  | 374 |  | $544=\mathrm{ams} \mathrm{G}+\mathrm{C}(\mathrm{R})$ |

## The Exponent series and groups of amino acid (cf. page 36):

f. 24 B-chains out of the exponent series '5-4-3" = 12 R-chains:

|  | 16-base | 10-base |  |
| :---: | :---: | :---: | :---: |
| "5" | $292 \longrightarrow$ | 658 |  |
| "4" | 252 | 594 |  |
| "3" | + 208 | + 520. |  |
| 1/2 x 24 R-chains: | 752 | $=1772$ | $1772=24$ B-chains unbound |

g. The sum 752 for 12 ams $R$ gives also divided the sum of $\mathbf{2 4}$ bound ams in nb-6:

h. Ams-groups G1 + A1 (~ "00-bases") alone read as nb-16, "defines" the same sum in nb-8:

| $\frac{\text { Codons }}{00-00:}$ |  | 16-base | 10-base | 8-base |
| :---: | :---: | :---: | :---: | :---: |
|  |  | 396 | 918 | 1626 |
| $\begin{aligned} & \text { 00-00: } \\ & 00-0 \text { : } \end{aligned}$ |  | $\underline{292}$ | 658 | 1222 |
|  |  | 688 |  | $2848 \rightarrow 2848=24$ ams bound |
| But | 2 x | 344 | - | $1504 \times 2=2 \times 24 \mathrm{~ms} \mathrm{R}$ |

i. First two numbers in the exponent series with +1 in number " 4 ", (cf. page 19 where N-Z-differences G1 - G2 gave 292, C1 — C2 number 253):

(Cf. page 48: the transformation to $2 \times$ RNA-bases: $444+37 \underline{4}=818 \sim 1018$.)
j. From " 5 " in the exponent series to B-chains to the total R+B-chains:

k. A note about number 888:

888 in nb- $10=\mathbf{5 4 3} \boldsymbol{+ 3 4 5}$, numbers of the triplet series $=12 \times$ B-chains à 74 A
888 in nb- $8=\mathbf{1 1 1 0}_{\mathbf{8}}=\mathbf{5 8 4}$ in nb- $10=2 \times 292$ in the exponent series.
888 in nb-6 $=\mathbf{3 4 4}$ in nb- $10=\mathbf{8 8 8} \mathbf{- 5 4 4} .344 \times 2=\mathbf{6 8 8}=\mathbf{a m s}$-groups $\mathbf{G 1}+\mathbf{A 1}$.
344 in nb-6 = 136 (= Inosine) in nb-10 (1/4 x 544). Inosine - Orotate, see below. 888 in $\mathrm{nb}-16=\mathbf{2 1 8 4}=4 \times 546,8 \times 273$ (the mean value of $2 \mathbf{a m s} \mathbf{R}+\mathbf{B}=273$ )

1. Re-writing sums $\mathbf{C 1}+\mathrm{U} 1, \mathrm{G} 1+\mathrm{A} 1(\mathrm{R})$, as nb-8-numbers, and these transformed again $\mathbf{1 0} \rightarrow \mathbf{8}$, generates 24 ams $R+B$ :


Transformation gap 744 above $\sim$ NADP 744 A in nb-10.
m. 20 ams R, without 4 double-coded ams = 1258: Two sets derived from 4 bases in nb-8, 752:

10. G-A-U-C in the exponent series, number 101 and re-writings:
a. $5^{2 / 3} \quad \mathbf{4}^{2 / 3} \quad 3^{2 / 3} \quad 2^{2 / 3} \quad \mathbf{1}^{2 / 3} \quad \mathrm{x} 100$


Minus/plus number 101 in nb-10 gave the ams-groups G 1 and C 1 . The same 101 number in nb- 8 , transformed to $\mathrm{nb}-10=65$, gives bases in nb- 8 numbers:

$$
\begin{aligned}
& 292-101=191=\text { G1-coded ams R } \\
& 252+101=353=\text { C } 1 \text {-coded ams R }
\end{aligned}
$$



$$
\begin{aligned}
& \mathbf{2 9 2}-65=\mathbf{2 2 7}=\mathrm{G}_{8} \\
&+\underline{\mathbf{2 5 2}}+65=\mathbf{3 1 7}=\mathrm{C}_{8}+\mathrm{U}_{8} \\
&=\underline{\mathbf{5 4 4}}
\end{aligned} \quad \begin{array}{ll}
\mathbf{2 7 2},-65=\mathbf{2 0 7}=\mathrm{A}_{8} . & (207+2 \times 145=\mathrm{A} 1) \\
\mathbf{5 4 4} & 65=\mathbf{3 3 7}=(\mathrm{U}+\mathrm{C})_{8}
\end{array} \begin{aligned}
& (317+145=\mathrm{U} 1-1 \\
& 317=\mathrm{U}_{8}+\mathrm{C}_{8}
\end{aligned}
$$

$$
\begin{array}{lll}
* \text { Cf. ams-groups: } & \mathbf{2 7 2}-81=191=\text { G1. } & \mathbf{5 4 4}-81=463=\text { U1. } \\
& \mathbf{2 7 2}+81=353=\text { C1. } & \mathbf{4 1 6}+81=497=\text { A1 } .
\end{array}
$$

b. Re-writing numbers of $\mathbf{G}_{6}-$ and $\mathrm{C}_{6}$-bases gives numbers of the exponent series:


C-base $111=303^{*} \sim 259=" 2+1 "$ re-written

* $\mathrm{G}_{6}=411=$ G2-coded ams
*Re-writing $=-44$, the step " $4 \rightarrow 3$ " in the exponent series. $\left(\mathrm{CO}_{2}=44 \mathrm{~A}\right)$ Interval $367-259=108$. 108 as nb- $6=\mathbf{1 1 2}$ re-written, $=\mathbf{4 4}_{\mathbf{1 0}}$.
c. DNA: A+T-bases transformed in two steps give the pure A-U-group of ams:

| A: | $\frac{10 \text {-base }}{135}-\frac{8 \text {-base } / \frac{10 \text {-base }}{207} \frac{8-\text { base }}{207} \longrightarrow}{317,+3=}=\frac{10 \text {-base }}{\mathbf{3 2 0}=\text { AA-AU-coded ams R }}$ |  |
| :--- | :--- | :--- | :--- |
| T: 126 | $176 \quad 176 \longrightarrow$ | $\frac{\mathbf{2 5 8},-3=\mathbf{2 5 5}=\text { UU-UA-coded ams R }}{\mathbf{5 7 5}}$ |

The Exponent series: $317=2 \times 158,5 ., \sim 2 \times " 2 " .258=15 \underline{8}+100, \sim " 2+1 "$.

## 11. Inosine - Orotate:

Transformations to ams-groups, related the exponent series:
With reference to page 16, Part I.
The sum of Inosine, 136 A , and Orotate, 156 A , the parents of the codon bases, was = =292. Transferred to next steps in the exponent series as additions the sums x 2 became the ams-groups (R-chains) for $\mathrm{U} 1+\mathrm{C} 1,816$, (bases from Orotate), and G1 $+\mathrm{A} 1,688$, bases from Inosine:

| 292 | 252 | 208 | "5-4-3" in the exponent series |
| :---: | :---: | :---: | :---: |
| $\longrightarrow$ | 156 | $\longrightarrow+136$ | Orotate and Inosine added |
| Sums: | 408 | 344 |  |
| $\mathrm{x} 2=$ | 816 | 688 |  |
| = | C1+U1 | G1+A1 |  |

Even without additions to the exponent series, it's possible through transformations to get the ams-groups, adding numbers in different number base systems.

Inosine gives in nb-6 directly the half of the G1+A1-group, the same as an addition of its numbers in nb-10 and nb-8. Such an addition, including re-writing, gives half the sum of ams-group U1+C1.

| 10-base | 8-base 6-base |  | Mixed nb-10 + nb-8 numbers: |
| :---: | :---: | :---: | :---: |
| Inosine $136 \rightarrow$ | $208 \longrightarrow 344$ | $\rightarrow$ | $136+208=344, \mathrm{x} 2=\mathbf{6 8 8}=\mathbf{G 1}+\mathbf{A 1}$ |
| Orotate $156 \longrightarrow$ | $234 \longrightarrow 416$, |  | $156+234=390,=408 \text { read as nb- } 8$ $\text { x } 2=\mathbf{8 1 6}=\mathbf{C} 1+\mathbf{U} \mathbf{1}$ |

During these additions the numbers of the exponent series 252 and 208 are defined as intervals.

$$
\begin{aligned}
& 408-156=\mathbf{2 5 2}=" 4 " \\
& \frac{344}{752}-\frac{136}{292}=\mathbf{2 0 8}=" 3 " \text { in the exponent series }
\end{aligned}
$$

Inosine and Orotate seem connected through number 208 (nb-8) and $2 \times 208$ (nb-6).
The transformations and the exponent series seem here closely connected. This reflects in a general, arithmetic way the idea in the background model of higher "dimension degrees" transformed into lower ones.

The operation with addition of nb-10 and nb-8 numbers suggests a view on amino acids or groups of them as some kind of "complex conjugates" of phases in the processes, a mix of number bases? Cf. GA-codon: Asp, nb-10: $59 \rightarrow$ Glu nb-8 $=73$.

The operations suggest too, or seem to support, the presumption of "a whole" coming first, even if only on an underlying mathematical level.

In this context it could be worth mentioning the sums in the whole exponent series:

| " 5 " | "4" | "3" | "2" | " 1 " |
| :---: | :---: | :---: | :---: | :---: |
| 292 |  | 208 | 159 | 100 |
| $\Sigma$ | 544 |  | 467 |  |
| $\mathrm{x}^{1 / 2}=$ | 272 |  | 234 | viated) |
| $=2$ Inosin | , nb-10 | $=10$ | tran | d to nb-8 |

## 12. Three special number relations:

a. The sum of ams-groups in $1^{\text {st }}$ and $2^{\text {nd }}$ base ordering, as counting with two sets of ams, give in nb-8 through re-writing the simple scheme from the exponent series below (cf. page 13):

|  | $\underline{8-\text {-base }} \longrightarrow \underline{8-\text { base }}$ | Ams-groups R-chains in base-10 system |  |  |
| :--- | :---: | :--- | :---: | :---: | :---: |
| $2 \times 292:$ | $\mathbf{5 8 4}$ | $\sim 604=$ | $\mathrm{G} 1+\mathrm{G} 2+2$ | $(191+411)$ |
| $2 \times 252:$ | $\mathbf{5 0 4}$ | $\sim 484=$ | $\mathrm{C} 1+\mathrm{C} 2-2$ | $(353+133)$ |
| $2 \times 208:$ | $\mathbf{4 1 6}$ | $+604=1020=\mathrm{A} 1+\mathrm{A} 2$ | $(497+523)$ |  |
|  | $\underline{\mathbf{4 1 6}}$ | $+484=900=\mathrm{U} 1+\mathrm{U} 2$ | $(463+437)$ |  |

Number 59: $604-484=118=2 \times 59$ :
$(604-2)-(484+2)=2 \times 58 . \quad 58=\mathrm{G} 1-\mathrm{C} 2, \mathrm{C} 1-\mathrm{G} 2$.
$1020-900=2 \times 60 . \quad 60=\mathrm{A} 1-\mathrm{U} 2, \mathrm{U} 1-\mathrm{A} 2$.
b. Codon types: The division of Cross- and Form-coded ams ( 770 ) in groups 209 / 176 +/- 1 (cf. page 52):

$$
\begin{array}{ll}
\text { Cross-coded }=\mathbf{4 1 8}=2 \times 209: \quad \mathrm{CA}+\mathrm{CA}+\mathrm{CU}=210, \mathrm{UG}+\mathrm{UG}+\mathrm{UC}=208 \\
\text { Form-coded }=352=2 \times 176: \quad \mathrm{GA}+\mathrm{GA}+\mathrm{GU}=175, \mathrm{AG}+\mathrm{AG}+\mathrm{AC}=177 .
\end{array}
$$

The exponent series:

$$
\frac{292-252}{544}-\frac{208-159-100}{467}
$$

| 10-base: |  | $\mathrm{x} 1 / 2=272$ | $\mathrm{x} 1 / 2=234$. | (round number) |
| :---: | :---: | :---: | :---: | :---: |
| $\downarrow$ | $\downarrow$ | $\downarrow$ |  |  |
| 8-base: |  | 418 | 352 |  |
|  | $=$ | $\mathbf{2 x 2 0 9}$ | $\mathbf{2 x 1 7 6}$ |  |

c. Division between ams with $U$ in $1^{\text {st }}$ or $2^{\text {nd }}$ position of the codon and the rest of ams in the two groups of codon types (cf. page 24):

| Cross- +Form-coded | 770: | $\underline{\mathrm{U} \text { in codons }}$ | The Rest | Exponent series |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{aligned} & \underset{\downarrow}{308} \end{aligned} \rightarrow$ | $\begin{gathered} 462 \\ \uparrow \end{gathered}$ | $(460+2=4$ | $\left.3^{\prime \prime},+2\right)$ |
| RNA- + Pair-coded: | 734 | 444 | 290 | $(292-2=15$ ' | , -2) |
|  |  | 10-base | 8 -base |  |  |
|  |  | $307 \longrightarrow$ | 463 | Sum 770 |  |
|  |  | $291 \longrightarrow$ | 443 | Sum 734 |  |

The exponent series:
292

|  | $>\underline{544,-100}=\mathbf{4 4 4}, \mathrm{U}$ in codons | The rest $292-2$ |
| :--- | :--- | :--- |
| 252 |  |  |
| $208>\underline{208,+100}=\mathbf{3 0 8}, \mathrm{U}$ in codons | " $252+208,+2$ |  |

All ams with U-contenting codons derivable from glycolysis, the rest from citrate cycle. Thus, the transformations above seem like illustrating opposite directions to and from mitochondria - and a mix of nb-10 and dependent nb-8 numbers.

## 13. B-chains:

## Some first annotations:

It may perhaps seem odd treating the B-chains separate from R-chains of ams. Yet, in peptide binding they form their own zigzag co-ordinate axis - the forming of which seems to be the main aim for unbound B-chains too. And they are the common part for transportation of the ams to t-RNA by the A-base as coenzyme (ATP).

Besides the main theme here it could be worth mentioning the inverse number relations between the A-base and free B-chains:

A-base $135 \wedge 740740740740 \ldots .\left(\mathrm{x} 10^{\mathrm{x}}\right)$. B-chains unbound normally 74 A .
In numbers of the triplet series: $543+345=888=12 \times 74, \sim 12$ B-chains.

$$
543+210=753, \text { mean value } \sim 12 \text { R-chains }+1 .
$$

Difference: $888-753=135$, the A-base, but also the starting ams Meth when its endgroup CH 2 is deducted at the beginning of the protein synthesis [1].

As said in part I : the number $370=5 \times 74(+/-1)$ appears also in codon grouped Rchains: $\mathrm{UU}+\mathrm{UG}+\mathrm{GG}+\mathrm{GU}=370-1, \mathrm{AA}+\mathrm{AC}+\mathrm{CC}+\mathrm{CA}=370+1$.

Number 370 may be generated from steps in an elementary " 5 -dimensional chain":

$$
\begin{aligned}
& \frac{1 \times 54}{54}+\frac{2 \times 43}{86}+\frac{3 \times 32}{96}+\frac{4 \times 21}{84}+\frac{5 \times 10}{50}=370 \\
& \sqrt{54.86 .96 .84 .50}=\underline{740} \underline{74} \underline{740} \ldots \times 10^{\times}, \text {the inverted number of the A-base.) }
\end{aligned}
$$

The exponent series (part I) gave the sums of 6 unbound and 6 bound B-chains as intervals:

$$
\begin{array}{ll}
" 5+4 "-" 1 ": & 544-100=\mathbf{4 4 4}=6 \times 74 \\
" 5+4 "-" 3 ": & 544-208=\mathbf{3 3 6}=6 \times 56 \quad \text { " } 3-1 "=108 \sim 6 \mathrm{H} 2 \mathrm{O} .
\end{array}
$$

## Transformations in number base systems:

a. One B -chain unbound $=74 \mathrm{~A}$ gives two B -chains à 56 A in peptide binding:

$$
\text { B-chain in free ams } \frac{10 \text {-base }}{\mathbf{7 4}} \longrightarrow \frac{8 \text {-base }}{\mathbf{1 1 2}}=\mathbf{2} \times \mathbf{5 6}=2 \text { B-chains in peptides. }
$$

The code base $\mathbf{U}=\mathbf{1 1 2} \mathbf{A}$, same number. Compare the exchange of $T$ to $U$ in m-RNA.
b. $\mathbf{3} \mathbf{H}_{2} \mathbf{P O}_{4}^{-}=3 \times 97 \mathrm{~A}=\mathbf{2 9 1} \mathrm{A}$ (for the P-group bonds of nucleosides triplets ?)

$$
" 5 "-1=\frac{10 \text {-base }}{291} \quad \frac{8 \text {-base }}{\mathbf{4 4 3},} \text { x } 4=\mathbf{1 7 7 2}=24 \text { B-chains unbound }
$$

c. Number 292 in the exponent series:

$$
\begin{aligned}
\frac{10 \text {-base }}{292} \times \frac{8 \text {-base }}{\mathbf{4 4 4}}
\end{aligned} \quad=6 \text { B-chains à } 74 \mathrm{~A} .
$$

d. From R-chains to B-chains:

$$
\begin{gathered}
\frac{16 \text {-base }}{\mathbf{3 7 6}} \\
376=1 / 4 \times 1504,24 \mathrm{ams} \mathrm{R} \\
\frac{10 \text {-base }}{\mathbf{8 8 6},} \times 2=\mathbf{1 7 7 2}, \mathbf{2 4} \text { unbound B-chains } \\
(-1 \mathrm{H} \text { in } \operatorname{Arg} 1,2, \text { Lys, Pro })
\end{gathered}
$$

e. From $\alpha$-ketoglutarate (or Glu charged) $=146$ to unbound to bound B-chains (cf. the role of Glu in amination of the B-chains):

f. From bases to 24 B-chains bound, 1344 A:

| $f 1$. | 10-base |  | 8-base |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | 194 | $<$ | $3022 \times \mathrm{G}$ | 2 x RN | ases read as 8 -base numbers |
|  | 184 | $<$ | $2702 \times \mathrm{A}$ |  |  |
|  | 146 | $<$ | $2222 \times \mathrm{C}$ |  |  |
|  | $\begin{array}{r}\text { a } \\ +148 \\ \hline\end{array}$ | $<$ | $\underline{2242 \times U}$ |  |  |
|  | 672 |  | $\rightarrow$ | $\mathrm{x} 2=1$ | = 24 B-chains bound |
| $f 2$. | 388 | $<$ | $6044 \times \mathrm{G}$ |  |  |
|  | +352 | $<$ | $5404 \times \mathrm{A}$ |  |  |
|  | $=740$ | $\longrightarrow$ | 1344 |  | $=24$ B-chains bound |
|  | 10-base |  | 8-base | 6-base |  |
| $f 3$. | $\begin{gathered} 352 \\ \downarrow \end{gathered}$ | $<$ | 540 4 x A-base |  |  |
|  | 352 |  |  | 1344 | = 24 B-chains bound |
| f4. |  | 16-base | 10-base |  |  |
|  | 4 xA : | 540 | $\longrightarrow 1344$ |  | = 24 B-chains bound |

g. From Inosine 136 through 5 transformations to 24 B-chains, bound 1344 and unbound 1772:

10-base - 8 -base
$136 \rightarrow 208$
$\underset{208 \rightarrow 320}{\frac{10 \text {-base }-8 \text {-base }}{\rightarrow-6 \text {-base }-} \frac{8 \text {-base }}{320 \rightarrow 500 \sim 480}} / \frac{10 \text {-base }-8 \text {-base }}{480 \rightarrow 740} \frac{10 \text {-base }-8 \text {-base }}{740 \rightarrow \mathbf{1 3 4 4}}$
10-base-6-base / 10 -base- 8 -base / 10-base - 8-base / 10-base- 8 -base $136 \rightarrow 344 \quad 344 \rightarrow 530 \sim 528 \quad 528 \rightarrow 1020 \sim 1018 \quad 1018 \rightarrow$ 1772* $^{*}$
*Without re-writings the last sum is $1776,24 \mathrm{~B}$-chains à 74 .
Transformation gap 136 to $1772+2$ (as for one re-writing?) $=1638$, x $2=$ total sum of 24 unbound ams $\mathrm{R}+\mathrm{B} \quad 3276.1018$ in last step $=2 \times 4$ codon bases.

## 14. Neutrons and N-Z-divisions:

It's curious that the number of neutrons - or Z-numbers without H-atoms - in R-chains of codon base groups give the total numbers of R-and B-chains through transformations in 2 (or 3) steps.

In $1^{\text {st }}$ base order also the sum of $2 \times 4$ codon bases in nb- 8 (cf. page 48).
a. Neutron sums in code base groups giving the total sum of 24 ams unbound:


- $491_{8} \sim 511 \sim 509$ re-written, sum of 4 RNA-bases.
- $(982$ re-written $=1202,+1018=2220(n b-8) .=490$ in nb- 16.
- $\mathbf{4 9 0}$ in nb- $16=\mathbf{1 1 6 8} \mathbf{~ i n ~ n b - 1 0 ~}=4 \times 292$ in the exponent series, $=4 \times$ Inosine +4 $x$ Orotate, $=$ the sum of ams with $3^{\text {rd }}$ base $A / G(A$ or $G)$ or $U / C+1$.)
b. Total sum R-cchains: $\mathrm{N}=\mathbf{6 7 6}, \mathrm{H}=152, \mathrm{Z}=828$ :

c. The whole exponent series transformed separately and whole give N - and Znumbers of $24 \mathrm{ams}+3$, the sum 3282 of the expanded triplet series (see below):


$$
\begin{aligned}
* \text { The triplet series expanded: } & \underline{987+876+765+654}+\underline{543+432+321+210} \\
& =3282<\underset{\substack{1776 \\
24 \times 74}}{ }>1506
\end{aligned}
$$

Compare how 2 x 4 separate codon bases transformed gave R-chains of ams, the sum of them transformed gave the B-chains (page 36):

Whole sums and divided ones: such differences could eventually be seen in terms of polarisations to other d-degrees where the co-ordinate axes define different complementary properties... ?
c. N-Z-numbers in the codon type groups 770 / 734: out of differences between code bases in nb-8 and nb-10:

G+C-group: $\mathrm{G}_{8}+\mathrm{C}_{8}=384$, difference transformed in 1 step:

$$
\begin{aligned}
& 384-\mathbf{G}_{10} 151=\frac{10 \text {-base }}{233 \rightarrow} \frac{8 \text {-base }}{\mathbf{3 5 1}}=\text { N-number in 770-group } \\
& \frac{384-\mathbf{C}_{10}}{768} \frac{111}{2 \times 253 \rightarrow} \frac{273 \rightarrow}{772-770 \sim \mathbf{7 6 8}}=\text { Z-number in 770-group }
\end{aligned}
$$

$A+U$-group: $A_{8}+U_{8}=367$ : difference transformed in 2 steps:


Subtracting steps with C-U-bases 111, 112 give Z-numbers.
Subtracting steps with G-A-bases 151, 135 give N -numbers.

## 15. Cn: amino acids grouped according to number of C -atoms in R -chains:

With reference to page 21 :
Interpreting the positions of Phe, Tyr and Trp + Gly as on page 21, it gave the first three numbers of the exponent series " $5 \rightarrow 4 \rightarrow 3$ " doubled in the order 584-504-416. They seem connected through transformations in number-base systems:
(N.B.! C in this special context indicates C-atoms.)


Repeating it here:
Why connection of Trp to the group with one C-atom: Ala - Ser1-Ser2-Cys ?
Trp is constructed from 3C+4C plus and minus more C-atoms, as if it represented "the other way around" in the number chain:

- Ser contributes in the synthesis of Trp.
- Trp can break down to Ala...
- Trp shares the UG-code with Cys, which originates from Ser.
(Gly, 0 C , connected with Pro, 3 C , in collagen. As 1 H from the ring formation of Pro??)

The Exponent series:


## Cn, two details:

a. Different intervals in transformations through re-writings:

$$
\begin{aligned}
& \xrightarrow[584 \longrightarrow \text { base }]{\text { 10 }} \frac{8 \text {-base }}{1088 \sim 1 \sim 890} \\
& C 7=198 \text { out of re-writing } \\
& 584<\xrightarrow[306=\mathrm{C} 3]{\longrightarrow}+\mathrm{C} 0
\end{aligned}
$$

b. Trp:

Interval: 504


Division of the sum 1504 of 24 ams R in $714 \longleftrightarrow 792,-2$, sums from the Triplet chain:

714 inwards: $012+123+234+345$.
792 as interval outwards - inwards
$=4 \times 198(=543-345,432-234,321-123,210-012)$ :


## 16. The Triplet series in transformations:

Here is a closer look on this triplet series, approximating sums of 24 ams , which was suggested as an eventual, more elementary mathematical level steering the genetic code.

The Triplet chain "outwards" - "inwards":

| 543 | 345 |
| :--- | ---: |
| $432 \ldots . .975$ | 234 |
| 321 | 123 |
| $210 \ldots 531$ | 012 |
| $1506<\underset{792}{\rightleftarrows}$ | $\mathbf{7 1 4}$ |

a. 2 times the inward chain in nb- 8 out of the interval 792:
$\frac{10 \text {-base }}{\mathbf{7 9 2}} \rightarrow \quad \frac{8 \text {-base }}{1428}=\mathbf{2} \times \mathbf{7 1 4}$
(What should a duplication in inward direction imply? An association goes to the relation between a single RNA-string and the double DNA-spiral.)

A1+U1-groups of ams $(\mathrm{R})$ without the 4 double-coded $=714$.
Ams groups of 24 ams , mixed: $\mathrm{G} 1+\mathrm{A} 2=\underline{714}, \quad \mathrm{C} 1+\mathrm{U} 2=\underline{790}$
b. Codon bases $\mathbf{x} 2$ giving the sum of 24 ams $R$, divided $792-714-2$ :

|  | 10-base | 8-base |
| :---: | :---: | :---: |
| 2 G | 302 | 456 |
| 2 C | 222 | 336... 792 |


c. Nb-16: interval in each step of the triplet series = 111:

d. Nb-16, interval between sums 975-531:



Compare: $666 \longrightarrow 1638 \quad$ x $2=3276$.
e. From the triplet chain "outwards" as nb-8 numbers to nb-10 gives the number 982, which in 2 steps gives 3276:

| 10-base | 8-base |
| :---: | :---: |
| $355<$ | 543 |
| 282 | 432 |
| 209 | 321 |
| 136..... 982 | 210 |
| $982 \longrightarrow$ | $\overline{1726}=1506+220$ |
| $\downarrow$ |  |
| 1726 | 3276, total sum 24 ams $R+B$, unbound |

f. Triplets "outwards" + 'inwards" as base-8-numbers transformed to base-10:

| 8-base | 10-base | Sums | 10-base | 8 -base |
| :---: | :---: | :---: | :---: | :---: |
| $345 \longrightarrow$ | 229 | $\rightarrow 4 \times 146 \leftarrow$ | $355<$ | 543 |
| 234 | 156 | $\rightarrow 3 \times 146 \leftarrow$ | 282 | 432 |
| 123 | 83 | $\rightarrow 2 \times 146 \leftarrow$ | $\underline{209}$ | 321 |
| 012 | 10 | $\rightarrow \mathbf{1 \times 1 4 6} \leftarrow$ | 136 | 210 |
| 714 | 478 |  | 982 | 1506 |

Sum $\mathbf{1 4 6 0}=\mathbf{5 \times 2 9 2}$, the number " 5 " of the Exponent series. (Cf. page 45.)
Intervals $229-355,156-282$ etc. $=\mathbf{1 2 6}, \mathbf{x} \mathbf{4}=\mathbf{5 0 4}=2 \times$ " 4 " in the Exponent series.
(Cf. number 146 in connection with Histones, said to bind 146 base pairs in chromosomes [4].)
g. Transforming the $\mathbf{4}$ codon bases DNA and RNA separately from nb-8 to nb-10 gives triplet sums:

|  | 4 DNA-bases |  | 4 RNA-bases: |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | 10-base | 8 -base |  | -base | 8-base: |
| G | 105 | $<151$ | G | 105 | $<151$ |
| C | 73 | 111 | C | 73 | 111 |
| T | 86 | 126 | U | 74 | 112 |
| A | 93 | 135 | A | 93 | 135 |
| Sum: | 357 | 523 |  | 345 | 509 |

Triplet series "inwards"

Difference $012=14$ in base- 8 numbers $=+\mathrm{CH}_{2}$ in U-base to T-base in DNA:

| Cf. | 10-base | 8-base |  |
| :---: | :---: | :---: | :---: |
|  | $345 \longrightarrow$ | 531 | $=321+210$ outwards |
|  | 357 - | 545 | $=543+2$. |

## 17. Another kind of " 5 -dimensional" chain - in another context?

The number chain below could be seen as a special variation of the transformation between codon bases and groups of amino acids, as if it were developed between G- and C-bases and with A-base (or Inosine) and T-base doubled. And last three steps have to be doubled to give the sum of ams in nb-8. It may be observed that pairs of numbers give the first to numbers " 5 " + " 4 " of the exponent series, which add to the sum of G+C-coded ams.

How to look on such a variation? If accepting the hypothesis of some underlying 5dimensional scheme behind the genetic code, could it be reasonable to count with such variations of number growth in different parts of the protein processes, as for instance this chain with DNA-bases in connection with t-RNA...?

## a. Mass numbers of $\mathbf{2 x}$ codon bases DNA:



This chain with last 3 steps doubled (cf. point f. below):


The division 973-531 is the same as in $3^{\text {rd }}$ base grouping: A/G-coded + " 2 -basecoded" ams $=638+335=973$, U/C-coded 531 .
b. Codon type groups, here the RNA+Pair-groups in the middle of the chain, as in the exponent series:

c. Some other paired groups of ams $R$ from chain 227-215-203-171-157:

973-157 = 816 = C1+U1-ccoded ams
$531+157=\mathbf{6 8 8}=\mathbf{G 1}+\mathbf{A 1}$-coded ams
848 -- 656 division:

|  | 10-base |  | 8-base |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 151 |  | 227 |  |
|  | 141 |  | 215 |  |
| 2 x | 131 | 2 x | $203=406 . . . . . . . S u m$ | $\mathbf{8 4 8}=\mathrm{G} 2+\mathrm{U} 2$ |
| 2 x | 121 | 2 x | $171=342$ |  |
| 2 x | 111 | 2 x | 157 = 314.......Sum | $656=\mathrm{C} 2+\mathrm{A} 2$ |

792-712:

## Exponent series:

$$
\begin{array}{rlrl}
215+171 & =386 & & \\
203+203 & =406 \ldots \text { sum 792 } & =2 \times 292+208 \\
227+171 & =398 & \\
157+157 & =314 \ldots . \text { sum 712 } & =2 \times 252+208
\end{array}
$$

d. With a last step in the chain: 101, plus/minus:
$\xrightarrow[\mathbf{1 0 1} \longrightarrow]{\frac{10 \text {-base }}{\mathbf{1 4 5}}}$

$$
973-145=\mathbf{8 2 8}=\mathbf{Z} \text { total } 24 \mathrm{ams} \mathrm{R}
$$

$$
531+145=\mathbf{6 7 6}=\mathbf{N} \text { total } 24 \mathrm{ams} \mathrm{R}
$$

$$
973-157,+145=\mathbf{9 6 1}=\mathbf{A}+\mathbf{U}+\mathbf{1}
$$

$$
531+157 .-145=\mathbf{5 4 3}=\mathbf{G}+\mathbf{C}-\mathbf{1}
$$

e. The doubled last steps re-written:

$$
\begin{aligned}
& 203 \sim 183=-20 \\
& 171 \sim 169=-2 \\
& \underline{157} \ldots \ldots . . . . . \text { sum } \mathbf{5 3 1} \mathbf{- 2 2}=\mathbf{5 0 9}=\text { sum of } 4 \text { codon bases RNA }
\end{aligned}
$$

f. Transformations with the $\mathbf{3}$ middle steps doubled:


## 18. Number 246:

This number 246 appears as the sum of differences or "displacements" between amsgroups in $1^{\text {st }}$ and $2^{\text {nd }}$ base order, and also as the sum of the 4 double-coded ams.

The aim here was to see if these numbers reveal some interesting connection with others in an eventual scheme of transformations. (Cf. page 19.)
a. The displacements between ams in $1^{\text {st }}$ and $2^{\text {nd }}$ base order and number 194:

Ams groups R :

$$
\begin{aligned}
& \mathrm{G} 1+\mathrm{A} 1 \longrightarrow+246 \longrightarrow \mathrm{G} 2+\mathrm{A} 2 \\
& \mathrm{C} 1+\mathrm{U} 1 \longrightarrow \mathrm{C} 2+\mathrm{U} 2 \\
& \mathrm{G} 1 \longrightarrow \mathrm{G} 2=220, \quad \mathrm{C} 1 \longrightarrow \mathrm{C} 2=-220 \\
& \mathrm{~A} 1 \longrightarrow \mathrm{~A} 2=26, \quad \mathrm{U} 1 \longrightarrow \mathrm{U} 2=-26
\end{aligned} \begin{aligned}
& \text { G+C-coded ams }=544 . \\
& \text { A+ } 246 \text { coded ams }=544+2 \times 208
\end{aligned}
$$

220-26 = 194, the difference $+/-2$ in the division of number $\mathbf{4 1 6}$ in the exponent series, $(\mathrm{A}+\mathrm{U})-(\mathrm{G}+\mathrm{C}):(A 1-G 1)-(U 1-C 1)=194-2=306-110$.

$$
(A 2-G 2)-(U 2-C 2)=194-2=-112+304
$$

$194=2 \times 97$ : an H2PO4--group. 194 also a charged ribose-P-group in nucleotides.

## b. From N-displacement to $\mathbf{N}+Z$-displacement:

Number 220 divided $\quad \mathrm{N}=100$ (101), $\mathrm{Z}=120$ (119) in G-C-group
$\mathrm{N}=23(22), \quad \mathrm{Z}=3(4)$ in A-U-group.

## b1. In G+C-groups:



## b2. In the A-U-group?

Numbers 23 and 3 as out of -1 at a 10- to 8 -base transformation? Example:

| 10-base | 8-base |  |
| :---: | :---: | :---: |
| , 64 | 100 N | $\mathbf{1 0 0} \mathbf{N}=\mathrm{N}: \mathbf{C 1}-\mathbf{C 2},+1=\mathrm{G} 2-\mathrm{G} 1$ (101) |
| I-1 | $\longmapsto-23 \mathrm{~N}$ | $23 \mathbf{N}=\mathrm{N}: \mathbf{U 1}-\mathbf{U} 2,-1=$ A1-A2 (22) |
| 63 | 77 |  |
| 144 |  |  |
| 80 | 120 Z | $\mathbf{1 2 0} \mathbf{Z}=\mathrm{Z}: \mathbf{C 1}-\mathbf{C 2}$; -1 = G2-G1 (119) |
| I-1 | $\longmapsto 3 \mathrm{Z}$ | $\mathbf{3 Z}=\mathrm{Z}: \mathbf{U 1}-\mathbf{U} \mathbf{2}$; $\mathbf{1}=\mathrm{A} 1-\mathrm{A} 2(4)$ |
| 79 | 117 Z |  |

$$
\text { A1-A2: N 22, Z 4: } \frac{10 \text {-base }}{\mathrm{N} 22} \underset{4}{\longrightarrow} \frac{8 \text {-base }}{26} \mathrm{~N}+\mathrm{Z}
$$

A single change of one H -atom, chemically, could result in such big changes in a transformation process. Compare perhaps P-groups in nucleotides, uncharged and charged:

$$
\mathrm{HPO}_{2}=\mathbf{6 4}, \quad \mathrm{PO}_{2} \sim=\mathbf{6 3}, \quad \mathrm{HPO}^{-} \sim=\mathbf{8 0}, \quad \mathrm{PO}_{3} \sim=\mathbf{7 9} .
$$

$$
64+80=144=220 \text { in nb-8. } 77+117=\text { number 194. } 220-194=\mathbf{- 2 6} .
$$

d. Number 220: $=\mathbf{G} 1 \rightarrow \mathbf{G} 2, \mathbf{C} 1 \leftarrow \mathbf{C} 2$, connected with the sum of ams $\mathbf{G}+\mathbf{C}$ 544: In relation to numbers of the exponent series:
$\frac{16 \text {-base }}{\mathbf{2 2 0}} \longleftrightarrow \frac{10 \text {-base }}{\mathbf{5 4 4}=292+252} \quad \underline{\underline{6} \text {-base }} 1040=\mathbf{5} \times \mathbf{2 0 8}$

d1) $\underline{220}$ in nb-16: a transition version or reference for the G+C-guided groups 544 between $1^{\text {st }}$ and $2^{\text {nd }}$ base order?

$$
\begin{aligned}
& \underline{544+220}=764=\mathrm{C} 1+\mathrm{G} 2=353+411, \text { difference } 58 \\
& \underline{544-220}=324=\mathrm{G} 1+\mathrm{C} 2=191+133, \quad-"-\quad 58
\end{aligned}
$$

d2) $\underline{220}$ in nb-6: representing interval 84 (plus/minus) in the other context where number 544 is received in nb-6, from 208 in nb- 10 .

A note: Could different divisions of number 544 towards lower numbers in the exponent series be connected with different number base systems? For instance:

$$
\begin{array}{ll}
544 \text { divided } & 292-252=" 5 "-" 4 " \\
544-"- & 336-208=(" 5+4-3 ")-" 3 " \\
544-"- & 177-367=(" 5+4 ")-(" 3+2 ")-(" 3+2 ")
\end{array}
$$

$\stackrel{10 \text {-base }}{101-\underset{44}{\longrightarrow}} \frac{8 \text {-base }}{145}$

$$
\begin{array}{ll}
\mathbf{G 1}=\mathbf{2 9 2}-101 & \mathbf{3 3 6}-145=191=\mathbf{G 1} \\
\mathbf{C 1}=\mathbf{2 5 2}+101 & \mathbf{2 0 8}+145=353=\mathbf{C} \mathbf{l}
\end{array}
$$

Number 220 as a nb-6 number: 6-base

$$
\begin{array}{cl}
\mathbf{2 2 0} \sim \mathbf{1 7 6}: & \mathrm{G} 1=\mathbf{3 6 7}-176=191 \\
\text { re-writing } & \mathrm{C} 1=\mathbf{1 7 7}+176=353
\end{array}
$$

Or: In $2^{\text {nd }}$ base order, using the interval 44 in the transformation nb- $10-$ nb- 8 above? The $3^{\text {rd }}$ division of number 544 in the exponent series: 177 - 367 :

$$
\begin{align*}
(" 5+4 ")-(" 3+2 ") & =\mathbf{1 7 7},-44=\mathbf{1 3 3}=\mathrm{C} 2 . \\
(" 3+2 ") & =\mathbf{3 6 7},+44=\mathbf{4 1 1}=\mathrm{G} 2 \tag{?}
\end{align*}
$$

e. The double-coded ams, Arg, Ser, Leu, $\mathrm{Ile}=\mathbf{2 4 6}$ (R):

The transformation of number $101=\operatorname{Arg} 2$ to nb- 8 gives 145 , which is the sum of the three other double-coded ams. There are some number relations below but it's very doubtful if they could contribute to an explanation of why just these ams are doublecoded.
$\operatorname{Arg} \mathrm{AG} \stackrel{\frac{10 \text {-base }}{\mathbf{1 0 1}} \longrightarrow \frac{8 \text {-base }}{\mathbf{1 4 5}}=\operatorname{Ser} 31+\text { Leu } 57+\text { Ile } 57}{ }$
Arg AG $\frac{10 \text {-base }}{} \frac{8 \text {-base }}{} \quad \frac{10 \text {-base }}{37} \longleftarrow \frac{6 \text {-base }}{101 \sim 57}$
Ser AG $\quad 31 \longleftrightarrow>37 \longleftrightarrow 37 \longleftrightarrow \sim 57=$ Leu2, Ile2 in nb-10

## 19. Separate ams, $R$-chains, as transformed into one another:

Could all separate R-chains of ams be derived from the exponent series? Here examples including an unlimited use of transfers between different number base systems.

$R$-chains:

$$
\begin{aligned}
& \underline{10--->8} \\
& 59 \text {--> } 73 \text { Asp --> Glu / Lys } \\
& 58 \text {--> } 72 \text { Asn --> Gln }
\end{aligned}
$$




## 20. Transformational operations applied to some other molecules and atoms:

Sugar synthesis:

| $\frac{16 \text {-base }}{\mathbf{1 2}}$ | $\frac{10 \text {-base }}{\mathbf{1 8}}$ |  | $\frac{6 \text {-base }}{30}$ |  |
| :--- | :--- | :--- | :--- | :--- |
| C | $\longrightarrow$ | $\mathrm{H}_{2} \mathrm{O}$ | $\rightarrow$ | H-C-OH |$\sim 1 / 6 \mathrm{x}$ hexose



Sugar synthesis - the summation formula with following relations:


Cf. numbers in the exponent series: 192, 146, 84, 108.
A simultaneous fixation of nitrogen occurs during which Molybdenum take part: Mo 42 Z, 96 A.

If presuming 2 Molybdenum atoms $=\mathbf{8 4} \mathbf{Z}, \mathbf{1 0 8} \mathbf{N}=\mathbf{1 9 2} \mathrm{A}$, sme number as
$\sim 6 \mathrm{O} 2$, numbers of the transformation intervals above:
$\mathrm{NOB}^{-}=\mathbf{6 2} \mathrm{A}, \mathrm{x} 6=372=\mathbf{1 0 8}+\mathbf{2 6 4}$ or $\mathbf{1 8 0}+\mathbf{1 9 2}$.
$62=108-46,146-84$, intervals above. $\mathrm{NO}^{-}+\mathbf{N O}^{-}=62+46=108$.
$\alpha$-ketoglutarate, aminating amino acids $=146$.
Hexoses as intervals - ? - in transformations within the exponent series, i. e.:


## Na-Cl and the Na-K-pump in the nervous system:

Na 11 Z, 23 A
Cl $17 \mathrm{Z}, 35 \mathrm{~A} \quad$ (or. 37 A , mean value $35,4 \mathrm{~A}$ in nature)
K $\quad 19 \mathrm{Z}, 39 \mathrm{~A} \quad$ (or. $41 \mathrm{~A}, 0,0018 \%$ )
Z-numbers $\longrightarrow$ Z-numbers $\longrightarrow$ A-numbers:

|  |  | 16-base | 10-ba |  | 8-base |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Na | Z | 11 | 17 | $\mathrm{Cl}, \mathrm{Z}$ |  |  |
| Cl | Z |  | 17 | $\longrightarrow$ | 19 | K Z |
| K | Z |  | 19 | $\longrightarrow$ | 23 | Na A |

$\mathrm{A} \longrightarrow \mathrm{Z}$ :


A:

e-numbers:


## A little addition:

Fatty acids, 2 of the common ones: with OH-groups:

|  | 10-base  6-base | Cf. codon type groups of ams: |  |  |
| :--- | :--- | :--- | :--- | :--- |
| C18 | $\mathbf{2 8 4}$ |  | 1152 | $=\mathbf{3 \times 3 8 4}$ |
| C16 | $\mathbf{2 5 6}$ | 1104 | $=\mathbf{3 \times 3 6 8}$ |  |

$384+1 \times 2$ = Cross- plus Form-coded ams R. $384=\mathrm{G}_{8}+\mathrm{C}_{8}$
368-1 x $2=$ RNA- plus Pair-coded ams R. $\quad 367=\mathrm{A}_{8}+\mathrm{U}_{8}$
6-base $1152 \sim 752$ re-written $=1 / 2 \times 24$ ams R.

## Summary and discussion:

The background for this research was an elementary 5-dimensional conceptual structure, suggested by the author for interpretations in physics. The hypothesis was that such a model, if valid, should appear in some form on superposed levels too, not least in the nearly universal genetic code.

The research started from a table of 24 codons for 20 plus 4 double-coded amino acids, where codons differing in $1^{\text {st }}$ and/or $2^{\text {nd }}$ base, or type of base (pyrine or pyrimidine) in $3^{\text {rd }}$ position (only Ile), was regarded as doubled codons.
It has been shown in Part I that an elementary number chain 5-4-3-2-1-0 with exponent $2 / 3 \times 100$, giving the abbreviated chain 292-252-208-159-100-0, surprisingly correlates with mass sums of codon grouped R -chains of amino acids: differentiations within main groups often through simple mathematical operations as plus/minus lower numbers and intervals in the chain. It gives for instance

- codon type groups, base pair groups in $1^{\text {st }}$ and $2^{\text {nd }}$ base ordering of different polarities as $G+A$ versus $C+U, G+C$ versus $A+U$,
- single base groups in $1^{\text {st }}$ and $2^{\text {nd }}$ base order, main $3^{\text {rd }}$ base groups and
- groups of the similar B-chains, bound and unbound.

The number chain correlates in the same way also with

- mass division of atoms in side chains of amino acids,
- side chains grouped according to kind of atoms, groupings according to number of C -atoms in R -chains, in N -Z-division etc.
These findings contradict the view that the genetic code is a "frozen hazard" and suggests that it could be governed by an underlying pattern, however dynamic and intricate.

With the vague idea of a connection between different dimension degrees and different number base systems, transformations of mass numbers between number base systems were tested, first on the numbers of the codon bases. Very surprisingly a double set of bases generated the mass sums of the codon type groups of amino acids and transformed together the sum of their 24 B-chains. This led to the further investigations in part II.

It has been shown that transformations between number base systems nb-10-nb-8, -nb- 6 and nb- 16 connect many essential mass numbers of the genetic code and amino acids as

- codon bases giving the mentioned mass sums of the amino acids,
- partial sums in codon type groups,
- the bases generating their appearances as coenzymes -TP-DP-MP,
- P-groups generating P~P~P-ribose-groups,
- AUG-bases as nucleotides (the starting codon) generating the sum of 24 amino acids etc. etc.

There is also shown that such transformations have many connections with the exponent series in generating mass sums from the genetic code and amino acids, as for instance five times numbers in the exponent series in base- 8 giving main codon grouped amino acids in base-10, just to mention one example.

## Discussion:

The simple arithmetical facts are presented as such, speculations avoided. Only some hints of possible aspects are given, without pretending any ability to explain why the exponent series or the number-base transformations give such results. Nor has the ambition so far included efforts to systematise transformation rules or the like. That would demand much more data and must be left to eventually interested scientists in bioinformatics and related fields.

Yet, accepting in a first step the hypothesis that the results reflect a real, organising
pattern behind the genetic code, there are of course a lot of things to discuss, not possible to do here. Only a few features and implications could be pointed out:

The fact that the results mainly concern groups of amino acids indicates a view where "the whole" is given before differentiation and aggregating of amino acids. It seems to contradict an interpretation in terms of stepwise synthesis, where the most stable, error-reducing configurations of codons survive. But is it necessarily a contradiction (?) if the assumed underlying pattern is regarded as a drawing for a construction or expression for laws in relation to the practical execution?

Two more elementary chains, the "triplet chain" 543-432- etc. and 151-141... etc. were also touched upon in the text and it was shown that mass sums of some main codon grouped amino acids could be deduced, approximately or exactly, from these chains too. Those facts and others, as the number of amino acids, could support the general hypothesis behind this research that some form of a 5-dimensional structuring principle lies behind the genetic code. (The concept "dimension" maybe re-defined.)

As touched upon in the text the fact that the same number divisions appears within different properties as for instance within codon groups and kind of atoms, without mutual connection, seem to suggest the view that numbers reign and that "the whole" is polarised along separate co-ordinate axes for different properties. The deriving of codon groups etc. from the exponent series, which implied operations as plus/minus lower numbers and/or intervals in the chain - and halvings, could suggest such an interpretation in terms of a multidimensional co-ordinate system with signs $+/$ - for directions.

One implication of he results could eventually be that the codons in themselves tell more about the functions of proteins than the composition of the amino acids?

About transformations between number-base systems, the suggestion here has been to see them as steps between dimension degrees, operating as a factor in "affinities" and internal connections in the processes, an "operator" for growth - and reduction. A problem is the extensive amount of possible number generations if not limiting rules are found.

## Testing possibilities?

This is of course the first question. Mass numbers of ordinary isotopes for the formation of bases and amino acids is an elementary condition for the hypotheses. A simple very first biochemical test could be to use only other isotopes of for instance H or C in liquids used to precipitate amino acids: Should such experiments change the results?
(Dropping the exponent series into the liquid (!) to see if it eventually works as some kind of activator or matrix, is of obvious reasons not possible, but what about a chain of molecules constructed with mass numbers of the series - if doable?)

The essential part of "testing" has certainly to be done in the theoretical field and include the composition of many other related substances as histones, r-RNA (as a mix of bases and proteins), t-RNAs etc., just to mention a few.

The arithmetic patterns here, if of significance, should be expected to have deep roots in multidimensional physics and quantum mechanics and would be a field for investigations in applied physics and mathematics too. (Probably also related to findings in chaos research.)

In spite of mentioning the "5-dimensional" background model for this research, any effort to make a dimensional analysis of codon-grouped amino acids and other relations has been avoided. Yet, if suggestions here are elaborated further, dimensional interpretations could naturally have implications for protein structures and different functions in cells, however intricate they may be.

Whatever to believe about the arithmetic here, something of that kind resembles life - in being very simple and very intricate, very productive - and multidimensional.

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Table 3: Separate ams with exponent 2/3, R-chains:

| GG | Gly | 1 | 1,000 |
| :--- | :--- | :--- | :---: |
| GC | Ala | 15 | 6,082 |
| GU | Val | 43 | 12,274 |
| GA | Asp | 59 | 15,155 |
| GA | Glu | 73 | 17,467 |
|  |  | 191 | $\mathbf{5 1 , 9 7 8}$ |
|  |  |  |  |
| CC | Pro | 42 | 12,083 |
| CU | Leu1 | 57 | 14,811 |
| CA | Gln | 72 | 17,307 |
| CA | His | 81 | 18,721 |
| CG | Arg | 101 | 21,688 |
|  |  | 353 | $\mathbf{8 4 , 6 1}$ |
|  |  |  |  |
| UC | Ser | 31 | 9,868 |
| UG | Cys | 47 | 13,024 |
| UU | Leu2 | 57 | 14,811 |
| UU | Phe | 91 | 20,231 |
| UA | Tyr | 107 | 22,538 |
| UGG | Trp | 130 | 25,662 |
|  |  | 463 | $\mathbf{1 0 6 , 1 3 4}$ |
|  |  |  |  |
| AG | Ser2 | 31 | 9,868 |
| AC | Thr | 45 | 12,651 |
| AU | Ileu1 | 57 | 14,811 |
| AUA | Ileu2 | 57 | 14,811 |
| AA | Asn | 58 | 14,984 |
| AA | Lys | 73 | 17,467 |
| AUG | Meth | 75 | 17,784 |
| AG | Arg2 | 101 | 21,688 |
|  |  | 497 | $\mathbf{1 2 4 , 0 6 4}$ |
|  |  |  |  |

Sum with exponent $2 / 3=$ numbers from 1 til $25,66=\mathbf{3 6 6 , 7 8 7}$.

Table 4: Separate ams with exponent 2/3, with B-chains in peptide binding

| GG | Gly | 57 | 14,811 |
| :--- | :--- | ---: | ---: |
| GC | Ala | 71 | 17,146 |
| GU | Val | 99 | 21,400 |
| GA | Asp | 115 | 23,648 |
| GA | Glu | 129 | 25,531 |
|  |  | 471 | $\mathbf{1 0 2 , 5 3 6}$ |
|  |  |  |  |
| CC | Pro | 98 | 21,256 |
| CU | Leu2 | 113 | 23,373 |
| CA | Gln | 128 | 25,398 |
| CA | His | 137 | 26,575 |
| CG | Arg | 157 | 29,103 |
|  |  | 633 | $\mathbf{1 2 5 , 7 0 5}$ |
|  |  |  |  |
| UC | Ser | 87 | 19,634 |
| UG | Cys | 103 | 21,973 |
| UU | Leu | 113 | 23,373 |
| UU | Phe | 147 | 27,853 |
| UA | Tyr | 163 | 29,840 |
| UGG | Trp | 186 | 32,584 |
|  |  | 799 | $\mathbf{1 5 5 , 2 5 7}$ |
|  |  |  |  |
| AG | Ser2 | 87 | 19,634 |
| AC | Thr | 101 | 21,688 |
| AU | Ileu | 113 | 23,373 |
| AUA | Ileu2 | 113 | 23,373 |
| AA | Asn | 114 | 23,511 |
| AA | Lys | 129 | 25,531 |
| AUG | Meth | 131 | 25,794 |
| AG | Arg2 | 157 | 29,103 |
|  |  | 945 | $\mathbf{1 9 2 , 0 0 7}$ |
|  |  |  |  |

Sum with exponent $2 / 3=$ numbers from 14,8 to $32,6 .=\mathbf{5 7 5 , 5}$.
$=\operatorname{circa} 24^{2}, 576$.


[^0]:    *Some more results from this earlier research can be found here:
    http://u5d.net/ama/subama/Subpages/list_contents.html http://www.u5d.net/booklets/bch_protein_synthesis.html

